

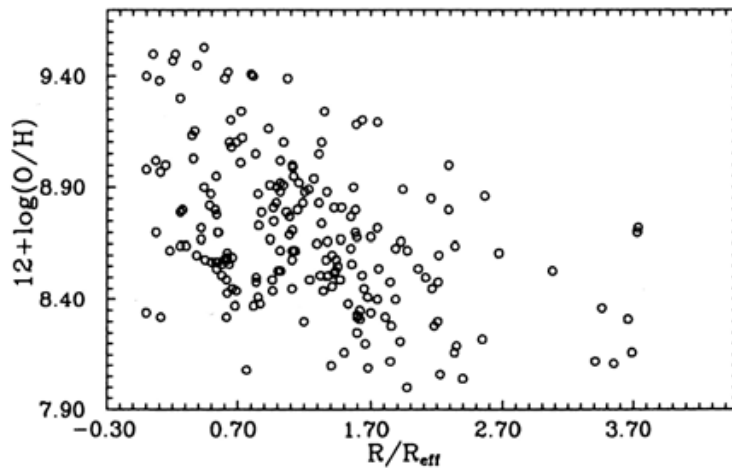
# DERIVING ABUNDANCE GRADIENTS ACROSS GALAXY DISCS

M 101



- Elemental abundance gradients in galactic discs are important constraints for models of how spiral galaxies form and evolve.
- Some current chemo-dynamical models developed in a cosmological framework (see, e.g. Gibson et al. 2013, consider **the shape of the radial metallicity gradient and its time evolution as a major observational constraint**.
- The use of Integral Field Spectrographs (IFS) can allow the analysis of abundance gradients in external galaxies exploring an often-complex scenario... **provided we can derive them accurately over the full extension of galaxy discs**.

## Evolutionary phenomena in galaxies Sta. Cruz de Tenerife, 1988



### ABUNDANCE GRADIENTS IN DISC GALAXIES AND CHEMICAL EVOLUTION MODELS

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1988AA...197...33P

Astron. Astrophys. 197, 33–46 (1988)

ASTRONOMY  
AND  
ASTROPHYSICS

## Models of galactic chemical evolution: the problem of uniqueness

M. Tosi<sup>1,2</sup>

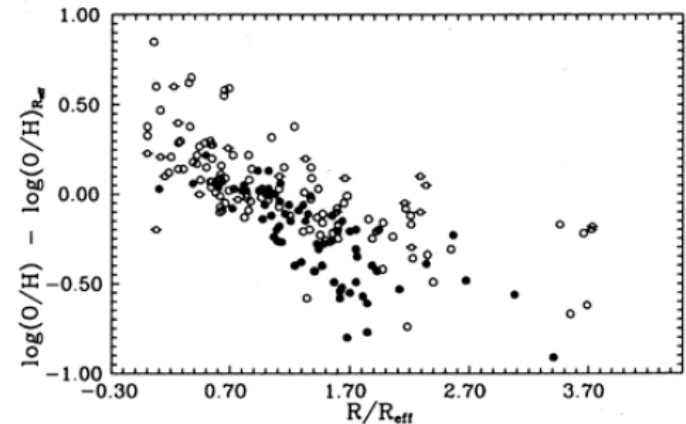
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Received April 20, accepted December 1, 1987

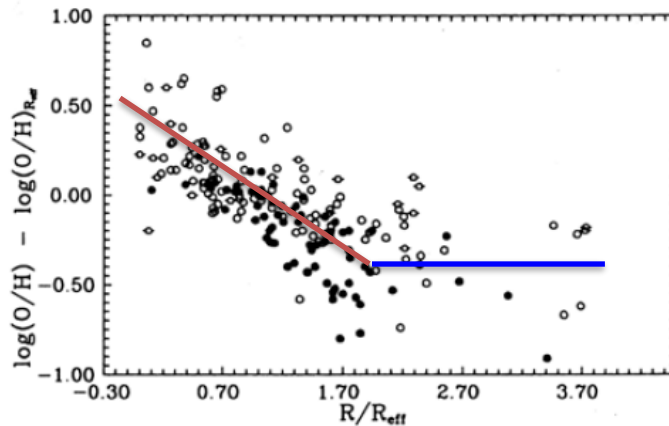
- Abundance ratios between elements depend mostly on stellar nucleosynthesis and the IMF.
- The slope of any abundance gradient is not sensitive at all to the adopted nucleosynthesis.
- The predicted absolute abundance of any element depend on all adopted parameters hence it does not represent by itself a good test of any theory ... however it should be reproduced by any selfconsistent model.

- Then ... why normalizing only to galactic radius and not also to absolute abundance?



# A universal abundance gradient?

18 galaxies, 200 HII regions



$$\frac{D \log(O/H)}{DR} = -a / R_{eff}$$

- 🌍 O/H abundances in galaxy discs are between 1/10 and 10 times its value at the effective radius of a given disc!

$$(O/H)_R = (O/H)_{R_{eff}} \times 10^{-a \left( \frac{R}{R_{eff}} - 1 \right)}$$

where  $a$  is the slope of the gradient and

$$a \approx 0.40, R/R_{eff} < 1.75$$

$$a \approx 0.00, R/R_{eff} > 1.75$$

- Galaxies with large  $R_{eff}$  have flatter gradients than galaxies with small  $R_{eff}$

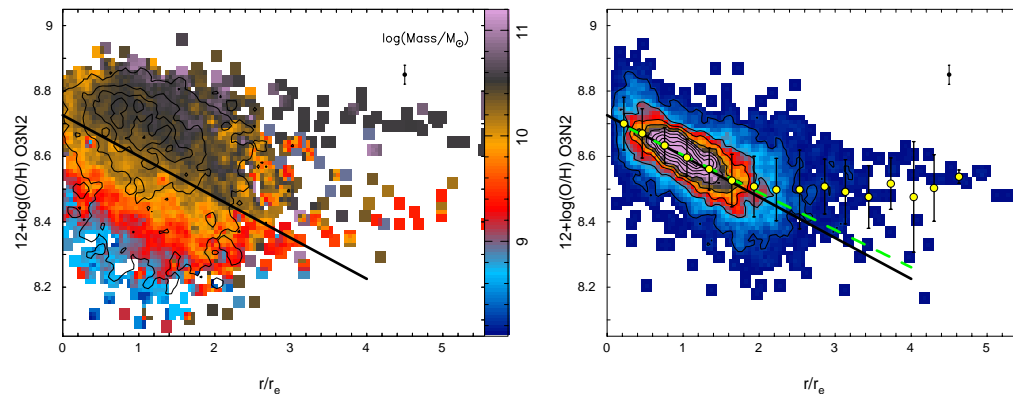
A&A 563, A49 (2014)  
DOI: 10.1051/0004-6361/201322343  
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Astronomy  
&  
Astrophysics

## A characteristic oxygen abundance gradient in galaxy disks unveiled with CALIFA\*\*\*

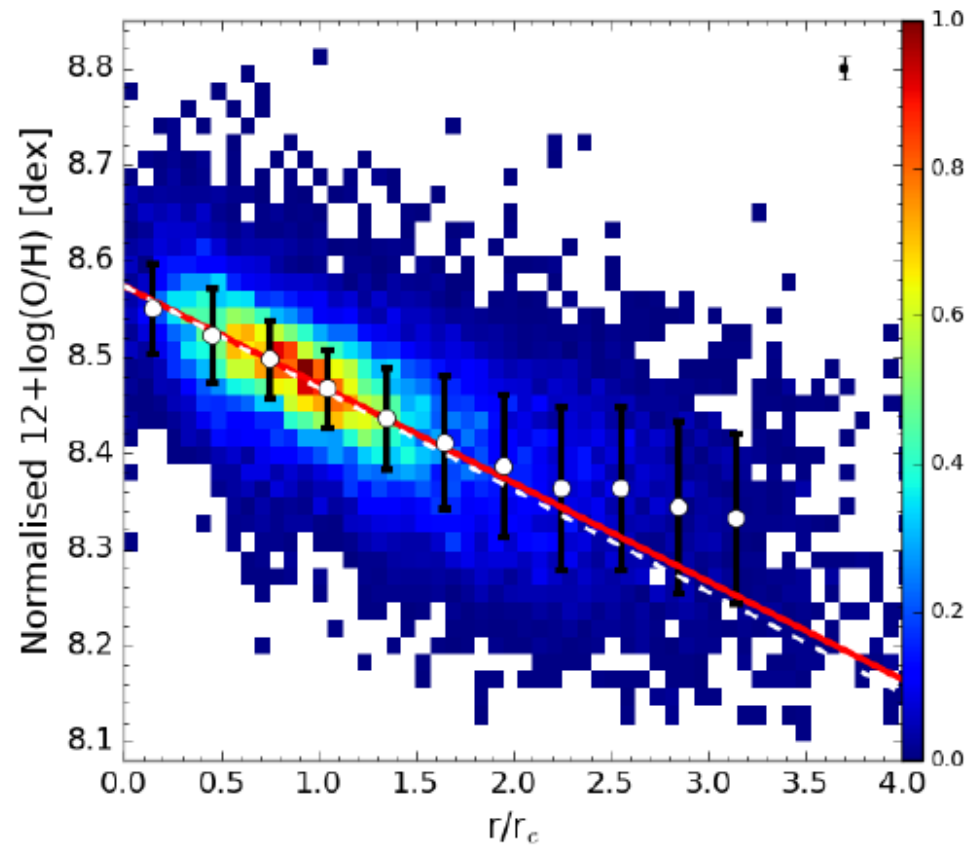
S. F. Sánchez<sup>1,2,3</sup>, F. F. Rosales-Ortega<sup>4</sup>, J. Iglesias-Páramo<sup>1,2</sup>, M. Mollá<sup>5</sup>, J. Barrera-Ballesteros<sup>6</sup>, R. A. Marino<sup>7</sup>,  
E. Pérez<sup>1</sup>, P. Sánchez-Blázquez<sup>8</sup>, R. González Delgado<sup>1</sup>, R. Cid Fernandes<sup>9</sup>, A. de Lorenzo-Cáceres<sup>10,11</sup>,  
J. Mendez-Abreu<sup>6,10,11</sup>, L. Galbany<sup>12</sup>, J. Falcon-Barroso<sup>6</sup>, D. Miralles-Caballero<sup>8</sup>, B. Husemann<sup>13</sup>, R. García-Benito<sup>1</sup>,  
D. Mast<sup>2,1</sup>, C. J. Walcher<sup>13</sup>, A. Gil de Paz<sup>7</sup>, B. García-Lorenzo<sup>6</sup>, B. Jungwiert<sup>14</sup>, J. M. Vilchez<sup>1</sup>, Lucie Jilková<sup>15</sup>,  
M. Lyubenova<sup>16</sup>, C. Cortijo-Ferrero<sup>1</sup>, A. I. Díaz<sup>8</sup>, L. Wisotzki<sup>13</sup>, I. Márquez<sup>1</sup>, J. Bland-Hawthorn<sup>17</sup>, S. Ellis<sup>17,18</sup>,  
G. van de Ven<sup>16</sup>, K. Jahnke<sup>16</sup>, P. Papaderos<sup>19</sup>, J. M. Gomes<sup>19</sup>, M. A. Mendoza<sup>1</sup>,  
Á. R. López-Sánchez<sup>17,18</sup>, and The CALIFA collaboration

We found that all galaxies without clear evidence of an interaction present a common gradient in the oxygen abundance, with a characteristic slope of  $\alpha(\text{O}/\text{H}) = -0.1 \text{ dex}/R_e$  between 0.3 and 2 disk effective radii ( $R_e$ ), and a scatter compatible with random fluctuations around this value, when the gradient is normalized to the disk effective radius. The slope is independent of morphology, the incidence of bars, absolute magnitude, or mass.



≈ 4500 HII regions  
in 200 galaxies

*Sánchez-Menguiano et al 2018*



120 galaxies  
14345 HII regions

- Predict how the radial gradients were in the past for galaxies of different sizes and masses considering the growth of the disks.
- For the present time, **the radial gradient  $\nabla$ , measured as dex kpc<sup>-1</sup>, shows a clear dependence on  $R_{\text{eff}}$  in agreement with data.**
- The normalised radial gradient is  $\nabla_{\text{Reff}} \sim -0.10 \text{ dex } R_{\text{eff}}^{-1}$  for all galaxies with differences depending on the efficiency to form stars .
- The correlations at  $z = 0$  may change at other redshifts:
  - In the SFR– $\nabla$  correlation, points move at higher sSFR **showing steeper gradients at  $z = 1$  than at  $z = 0$ .**
  - Correlations  $\nabla - M_*$  or  $R_{\text{eff}}$  appear at all redshifts.
  - The evolution of  $\nabla(z)$  is smooth, except when the disk begins form, when a very steep radial gradient appears. This occurs at any time depending on the dynamical mass; thus, **these models explain all negative  $\nabla$  for isolated spiral galaxies.**



## 🌍 Direct method:

- Requires the knowledge of the physical conditions of the gas: **electron density and temperature and the adoption of an appropriate ionisation structure.**
- Then, from the available emission lines, the corresponding ionic abundances are calculated. These abundances have to be corrected for the contribution of unseen ionisation states (ICF).

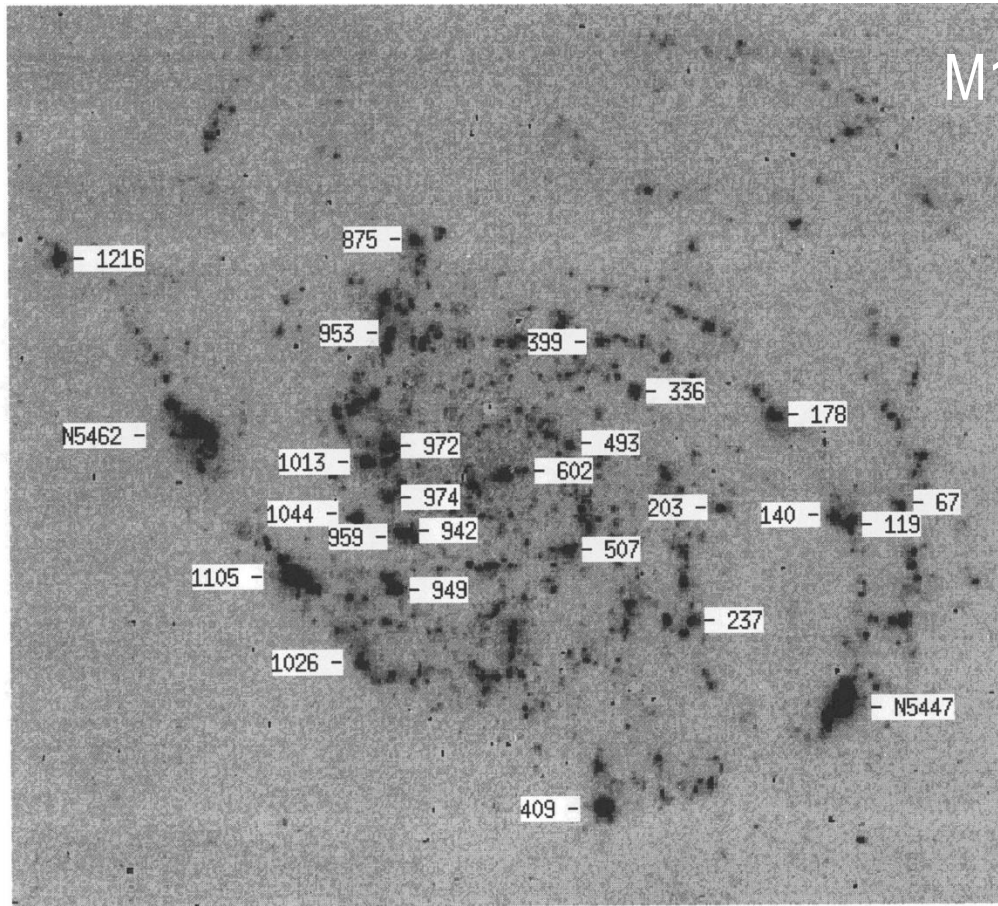
## 🌍 Empirical method:

- Uses the cooling properties of the ionised gas to produce empirical calibrations that relate emission-line intensity ratios of strong lines with the abundance of a given element.
- This has been done traditionally for **oxygen**, but it can also be done using other strong emission lines or a combination of several.

# A case of study: M101



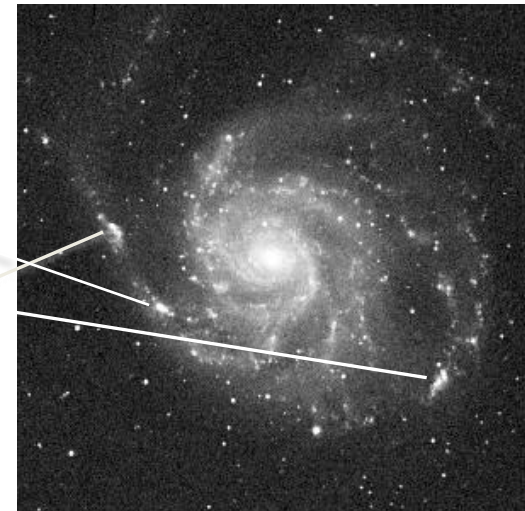
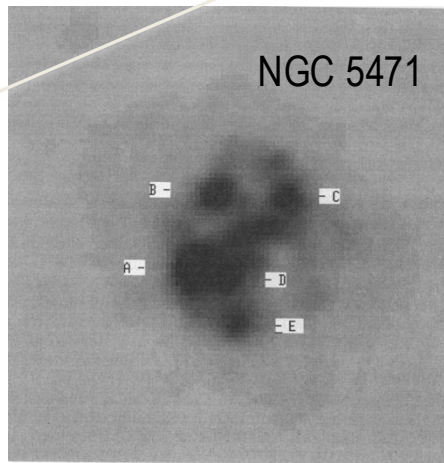
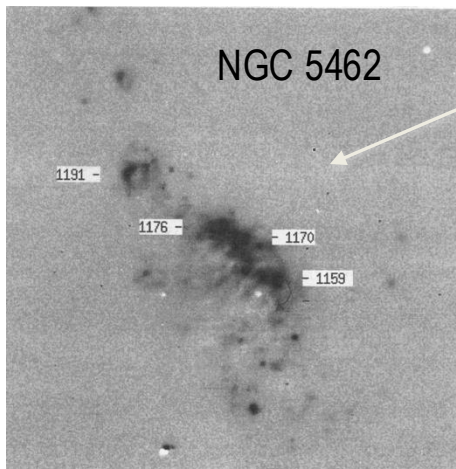
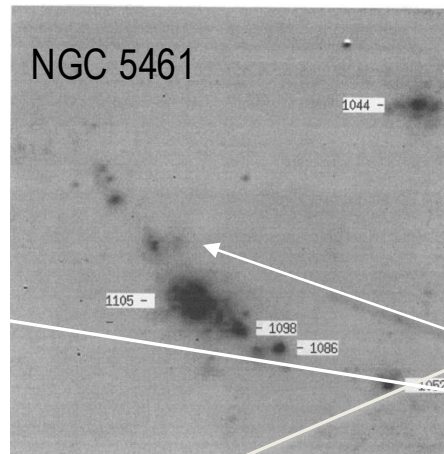
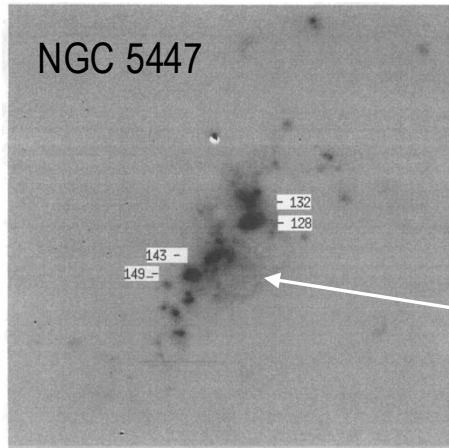
# How abundance gradients are derived



*Kennicutt & Garnett 1996, ApJ, 456,504*

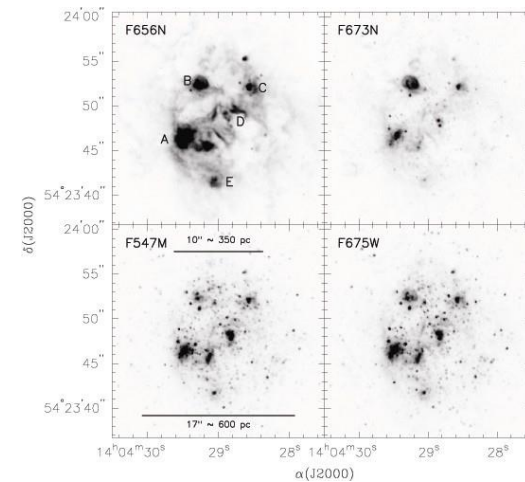
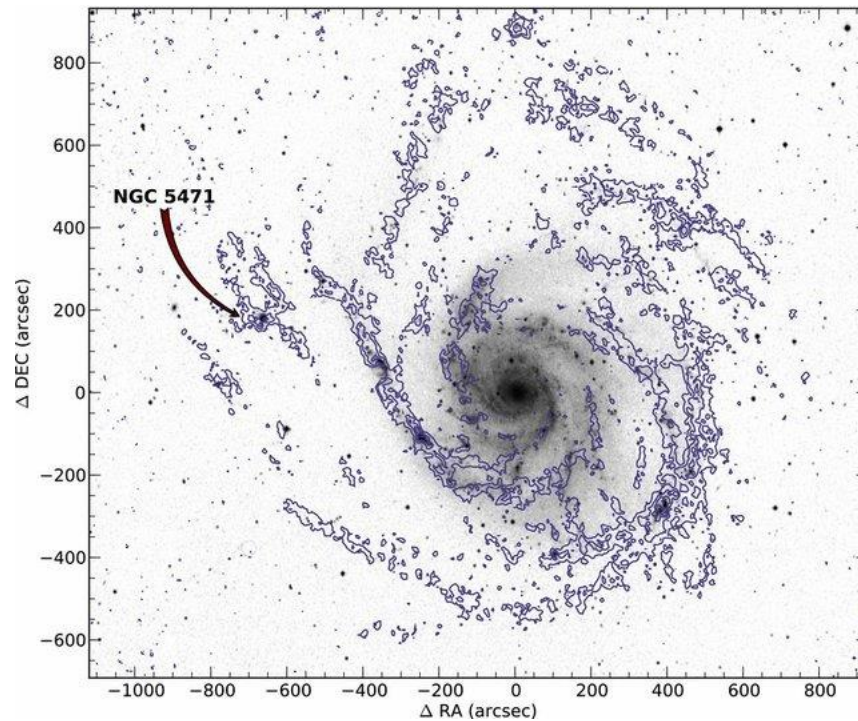


# Resolved HII regions in M101

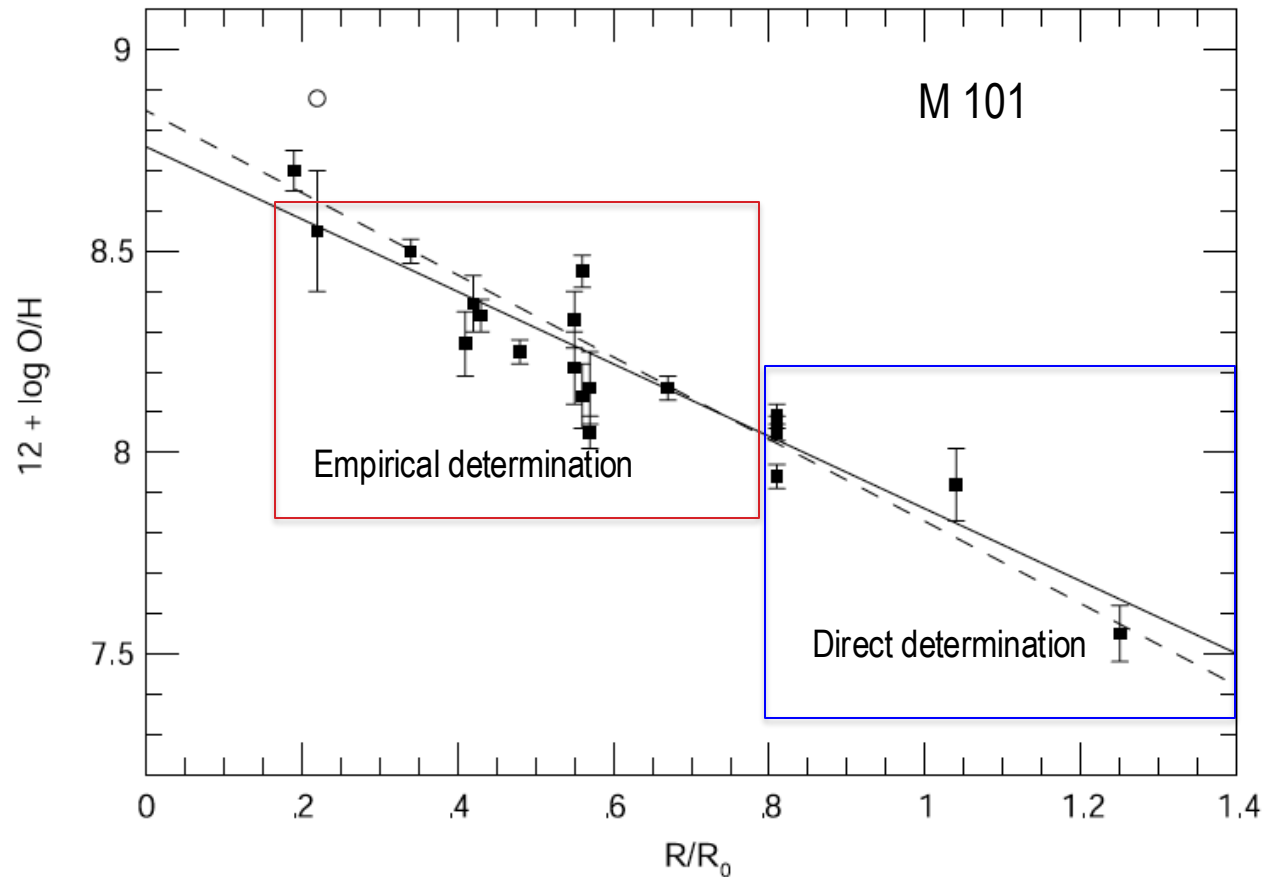


NGC 5471 is out of the  
Galaxy image

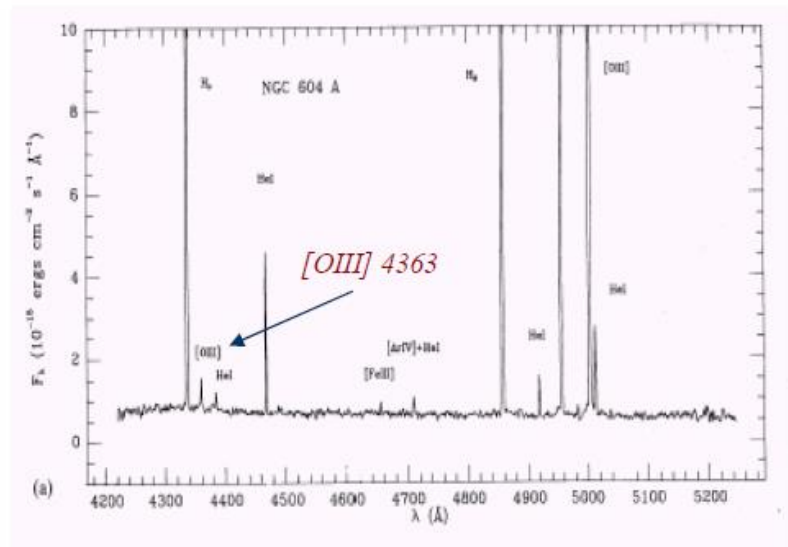
*Kennicutt & Garnett 1996, ApJ, 456,504*



# How gas oxygen abundance gradients are derived



# The weakness of *auroral* lines



Díaz et al.1987

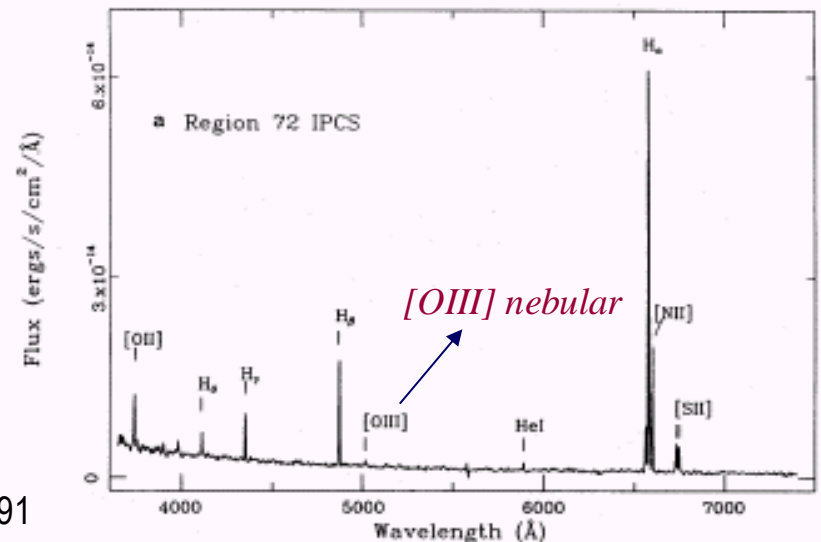
High metallicity case

At high metallicity,  $T_e$  is too low to produce any significant auroral line.

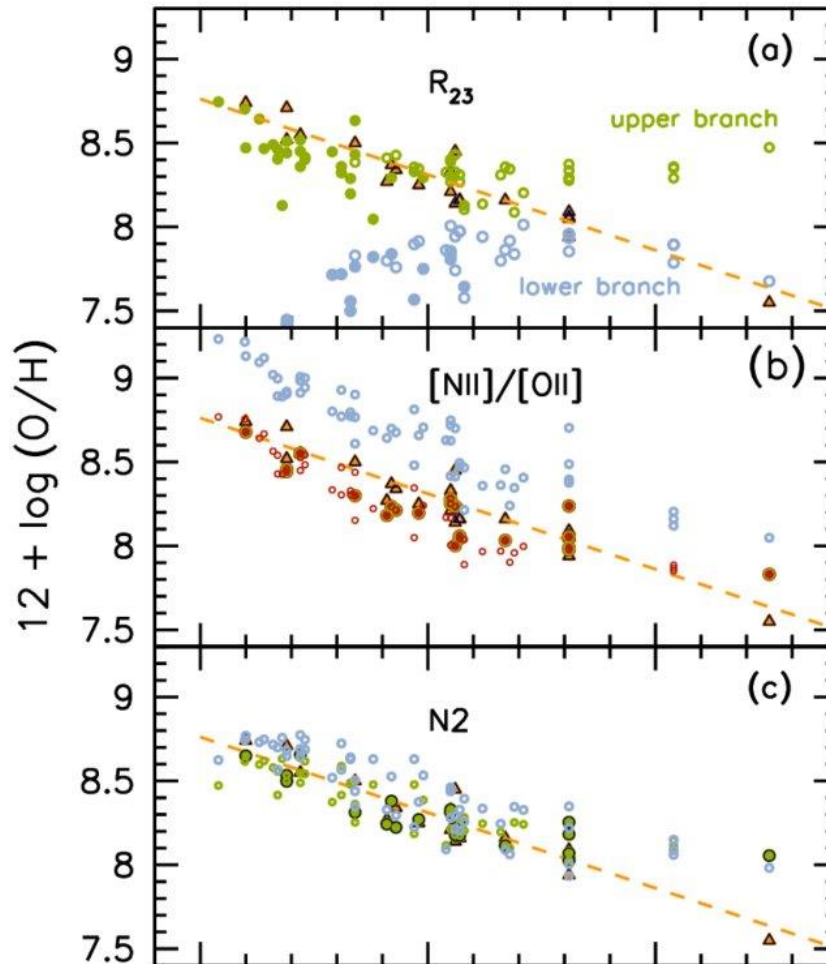
Díaz et al.1991

The auroral lines are intrinsically weak and difficult to detect and the difficulty increases with metallicity.

Low metallicity case



# The M101 empirical O/H gradient



← Bresolin et al. 2009, ApJ, 695, 580

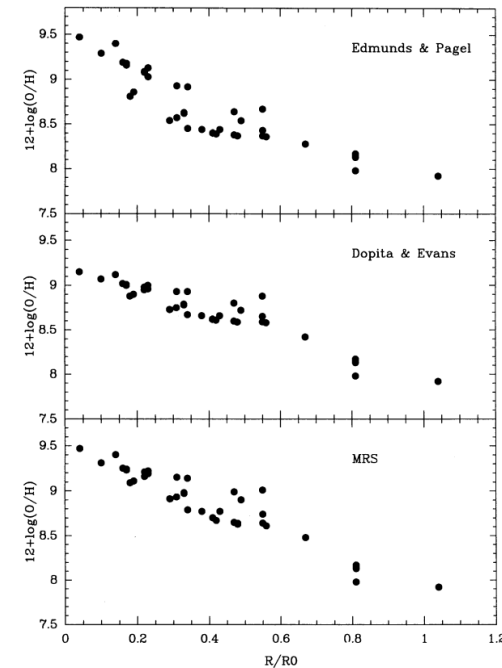
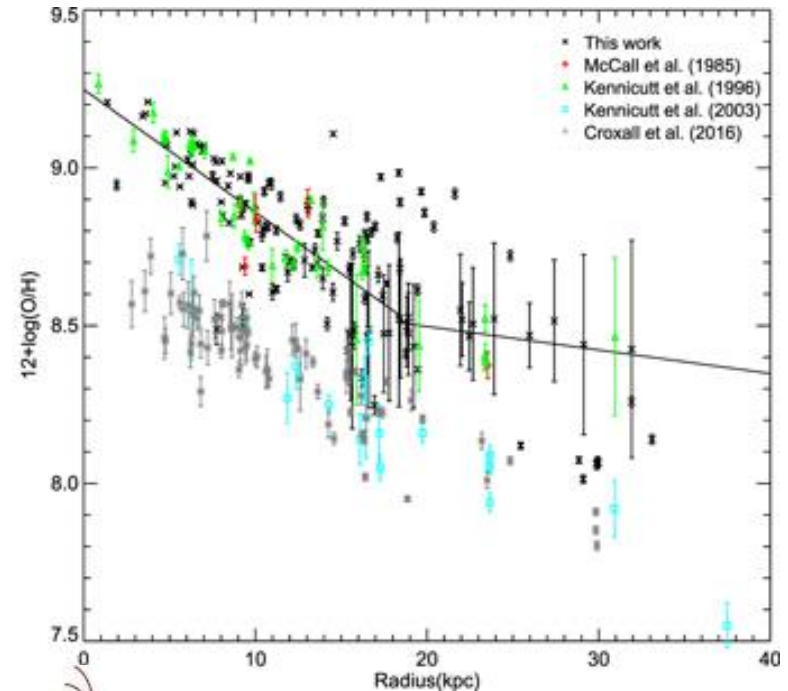
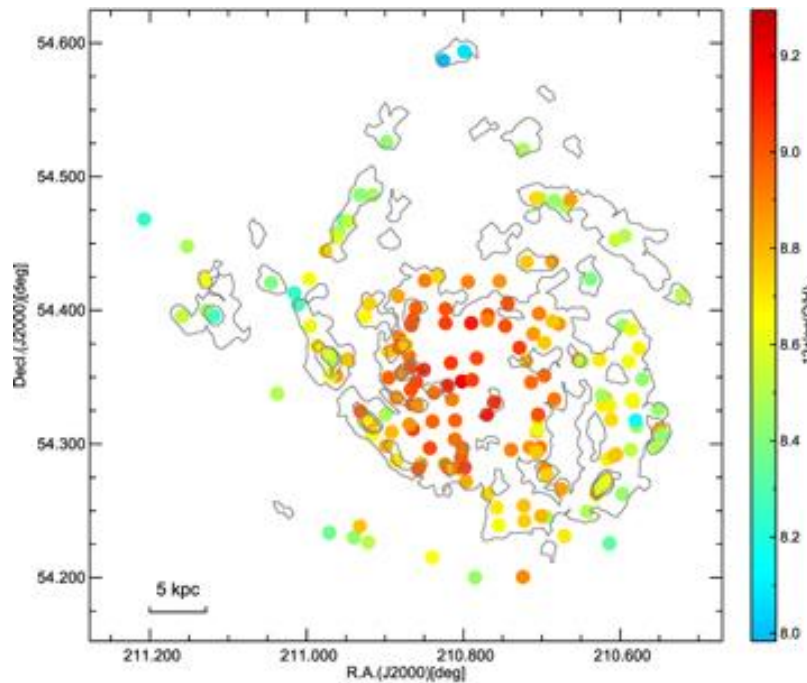


FIG. 11.—Radial variation in oxygen abundances in M101 determined from three “empirical” calibrations of the  $R_{23}$  excitation parameter.

Kennicutt & Garnett 1996, ApJ, 456, 504



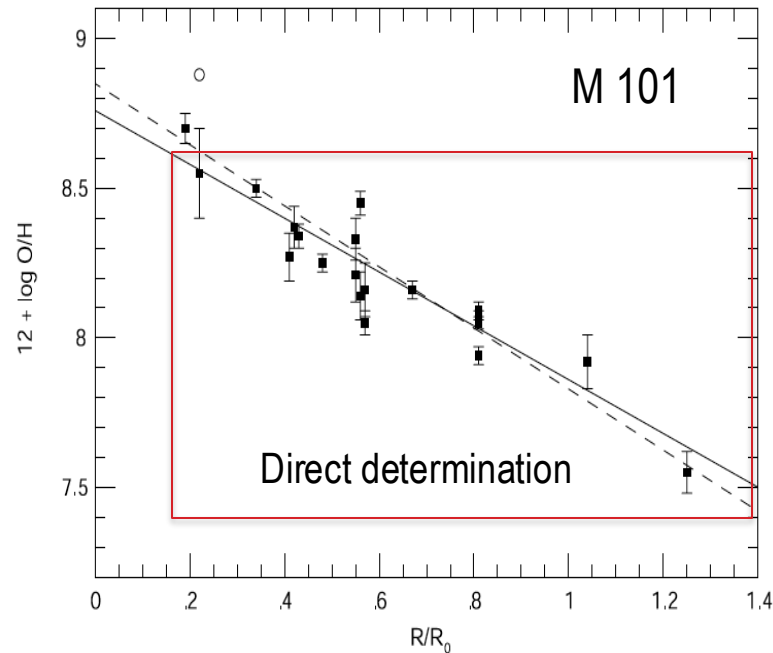
# Putting it all together



Hu et al. 2018, ApJ 854,68

## MOVING TO THE RED

## Using Sulphur as abundance tracer



Why using sulphur?  
It's all about

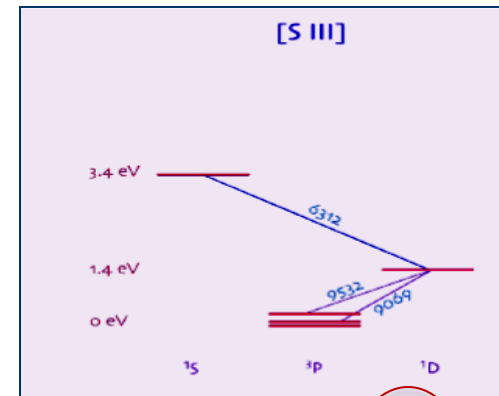
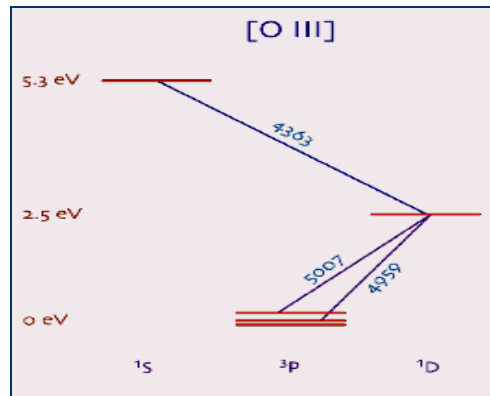
$$h\nu \approx kT$$

# Sulphur as abundance tracer?

- As in the case of oxygen, sulphur is also produced in massive stars.
- Its yield is supposed to follow that of Oxygen  $\Rightarrow$   
S/O ratio seems to remain constant at  
 $\log(S/O)_{\odot} \cong -1.56$ .
- Although sulphur is less abundant than oxygen, in principle, **it can also be used as abundance tracer** providing similar information while presenting several **interesting** advantages.

# Advantages of the use of **Sulphur** as abundance tracer

- The far-red lines of [S III] at  $\lambda\lambda$  6312, 9069, 9532 Å are analogous to those of [O III] at  $\lambda\lambda$  4363, 4959, 5007 Å, but their emissivities are less dependent on  $T_e$ .

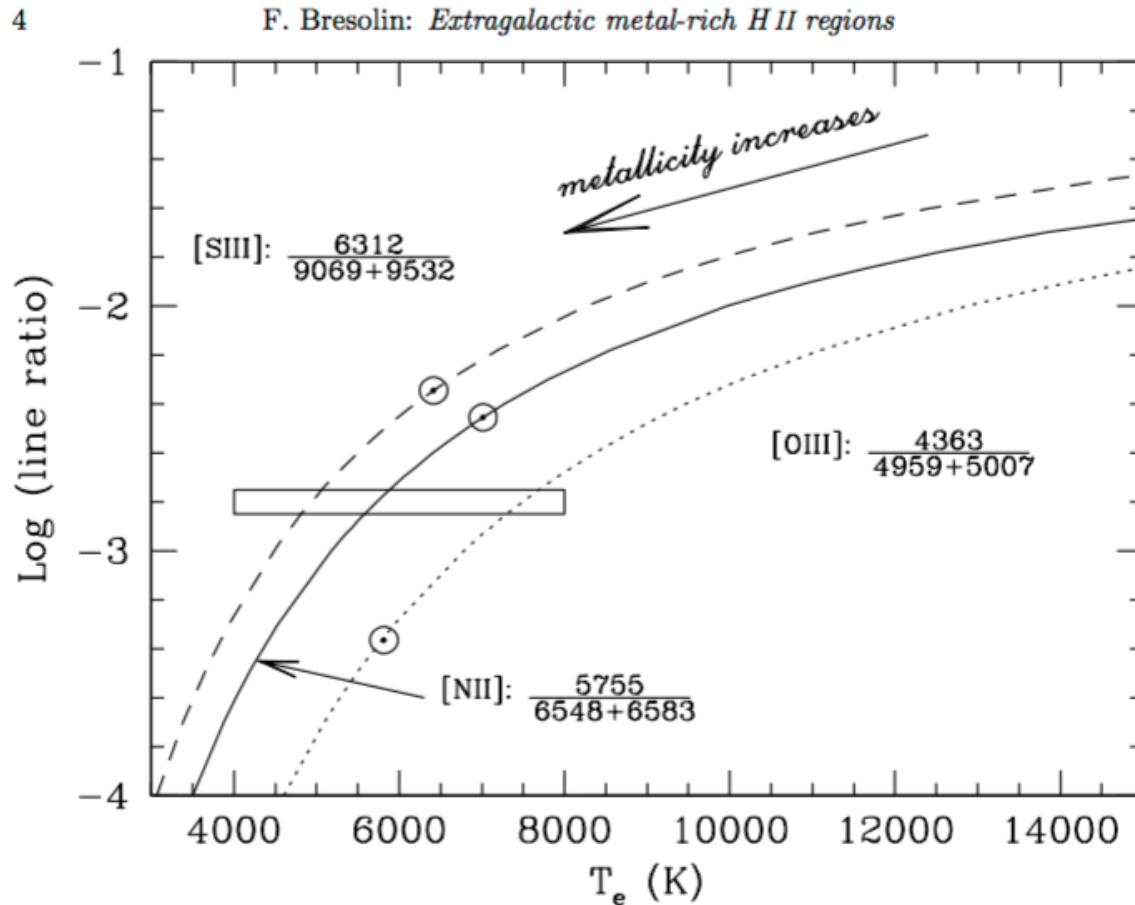


$$I_i \propto N(X^{+i})e_i \quad \text{with} \quad e_i \propto W(T)T_e^{-0.5} e^{-\frac{C_i}{kT_e}}$$

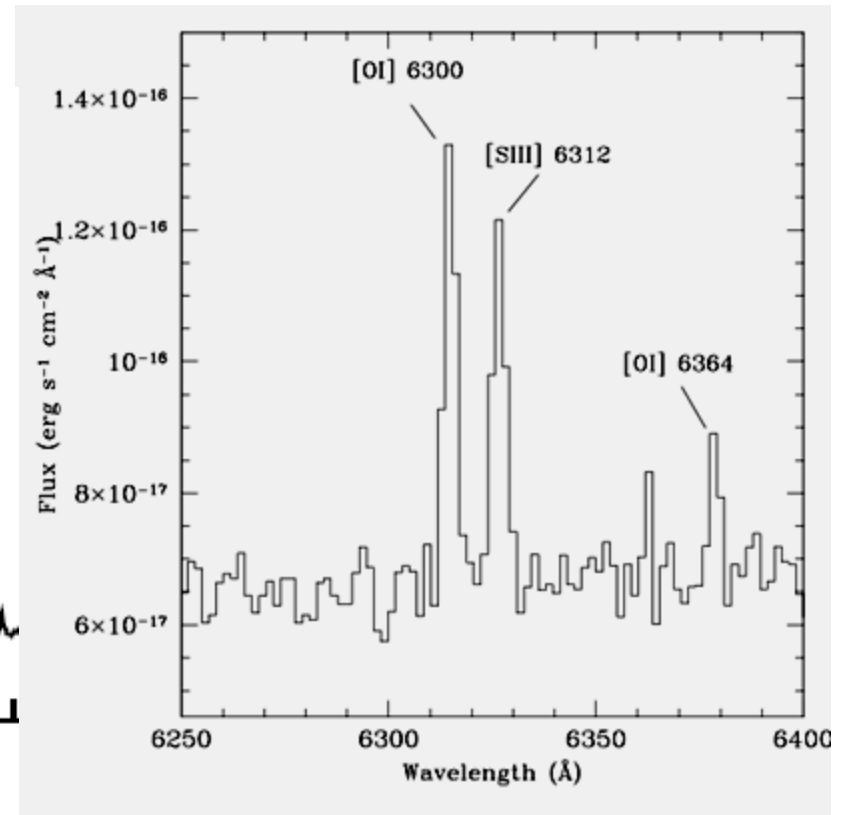
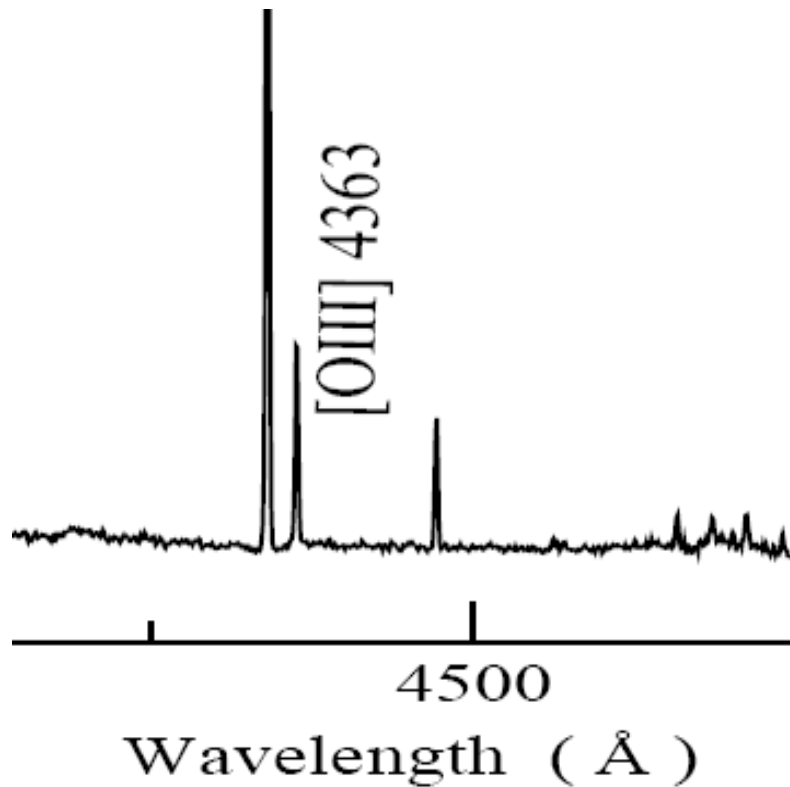
and  $\chi(S^{2+}) < \chi(O^{2+})$

# Telescope limits

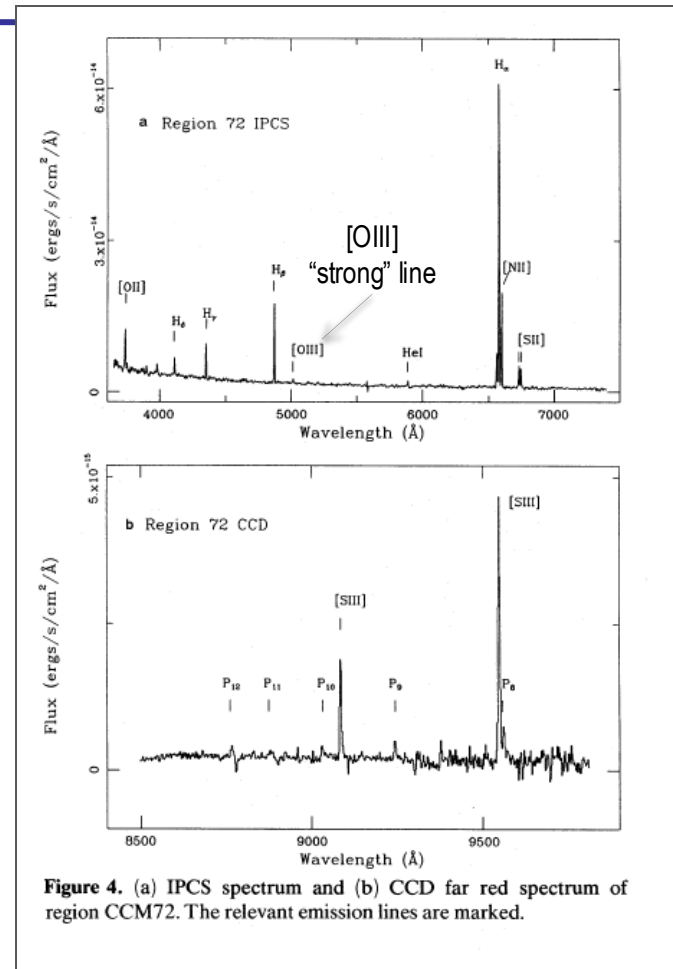
Bresolin (2008) in "The metal rich universe"



# Auroral line detection



- Less contamination from stellar absorption lines from metals (there are many more lines in the blue).
- Less contribution to recombination H lines from stellar absorption.
- Less importance of reddening.
- [SII] and [SIII] lines can be measured relative to nearby H lines, minimizing the effects of reddening.
- Almost no depletion in the diffuse ISM.
- [SIII] lines clearly detected at high abundances where “strong” [OIII] lines are very weak.**



## Oxygen

- $T_e([OIII])$  is derived from the ratio of auroral to nebular lines at  $\lambda\lambda$  4363 and 4959, 5007 Å
- Most of the O is in the form of  $O^+$  and  $O^{2+}$ . Their relative contribution depends on the degree of ionization of the nebula.
- Only for exceptionally high excitation objects, those showing HeII emission at  $\lambda$  4686 Å, there is a small contribution by  $O^{3+}$ .

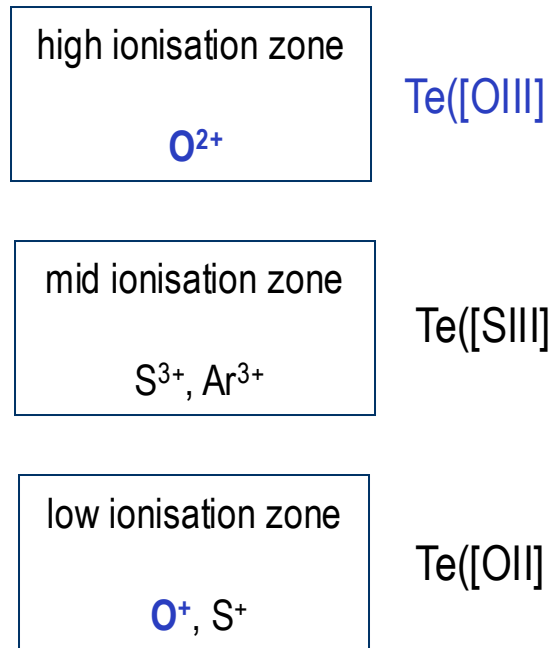
## Sulphur

- $T_e([SIII])$  is derived from the ratio of auroral to nebular lines at  $\lambda\lambda$  6312 and 9069, 9532 Å.
- Most of the S is also in the form of  $S^+$  and  $S^{2+}$ , but in most cases  $S^{2+}$  is dominant.
- A certain contribution by  $S^{3+}$  is expected in **high excitation** objects for which ICF have to be derived.



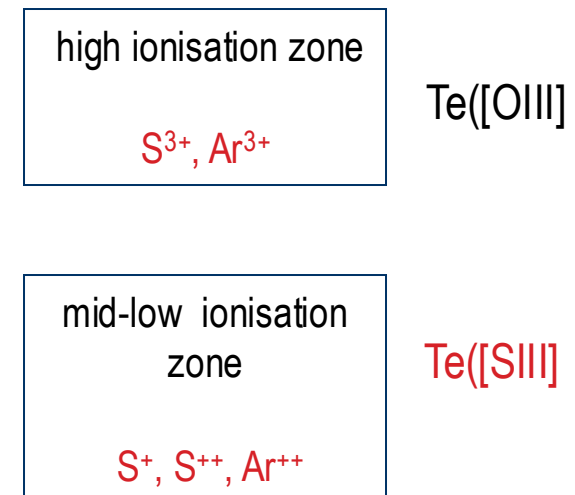
## Oxygen

### Three-zone approximation



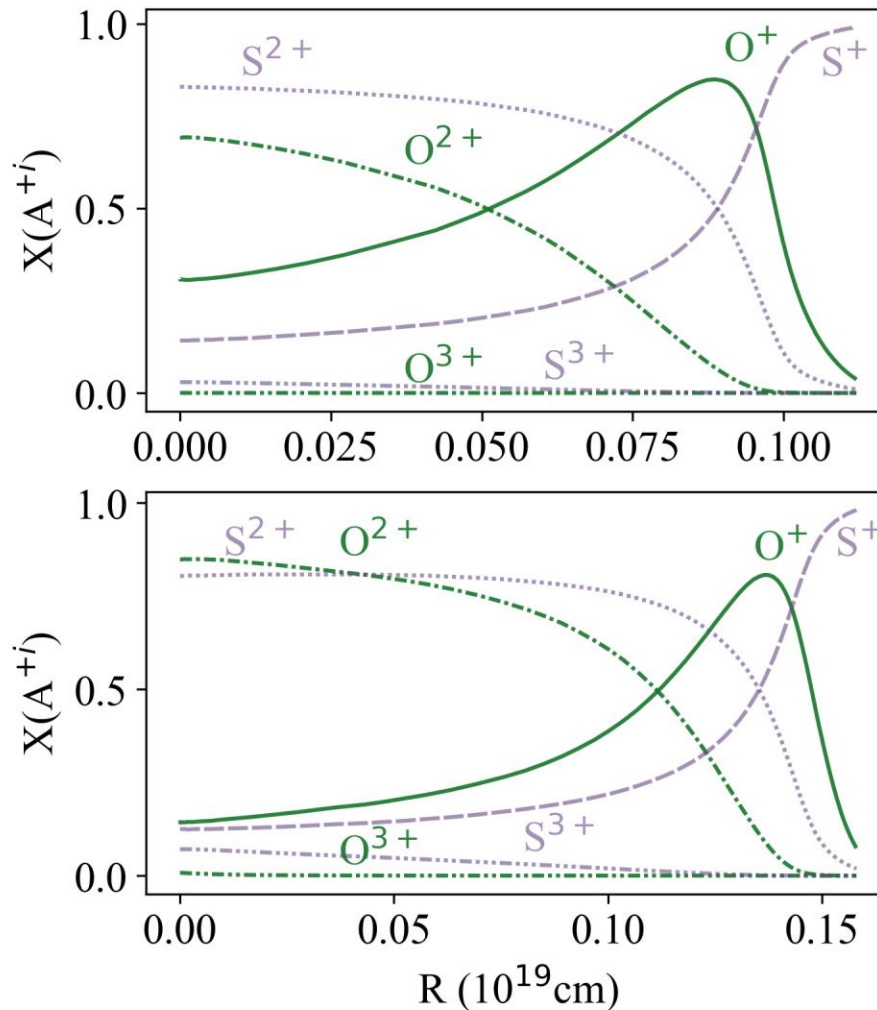
## Sulphur

### Two-zone approximation

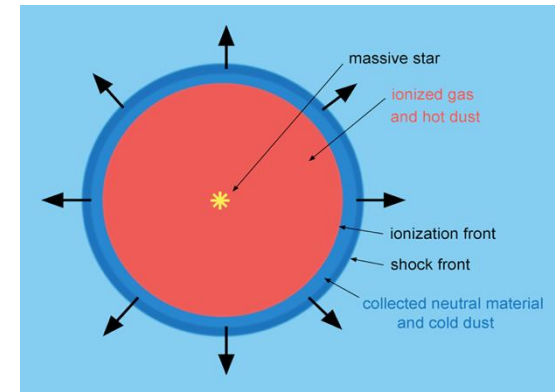


# Ionisation structure

$S^{2+}$  seems to originate in an intermediate excitation zone.



## HII Regions



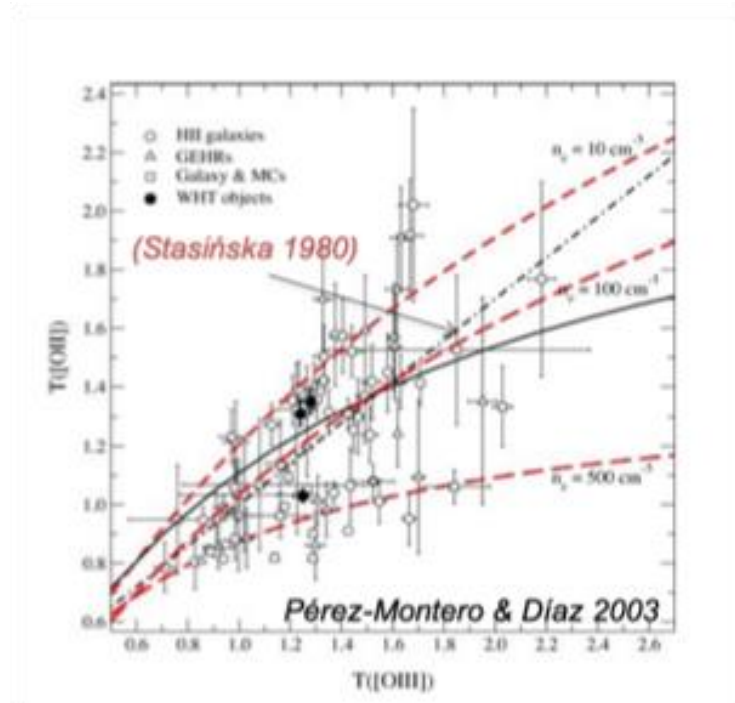
*Deharveng et al. 2010*

## HII Galaxies

# Relation between ion temperatures

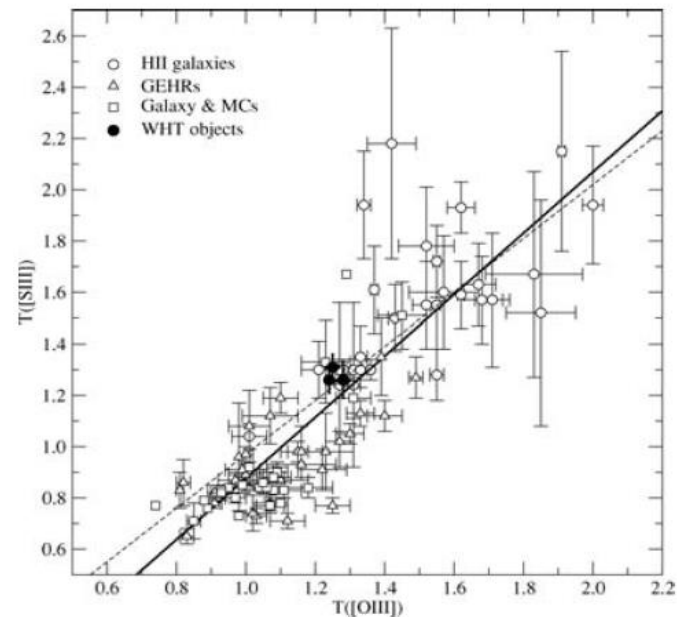
$$T_e([OII]) = 0.70T_e([OIII]) + 3000K$$

(Stasińska 1980)



$$T_e([SIII]) = 0.83T_e([OIII]) + 1700K$$

(Garnett 1992)

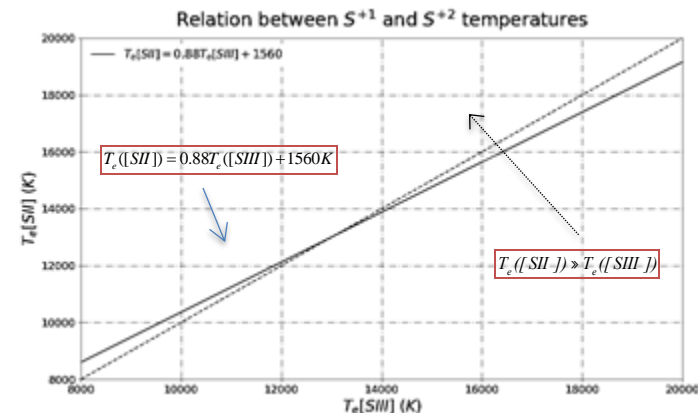


- Assuming  $T_e([SII]) \cong T_e([OII])$  provides a relation between  $T_e([SII])$  and  $T_e([SIII])$  as:

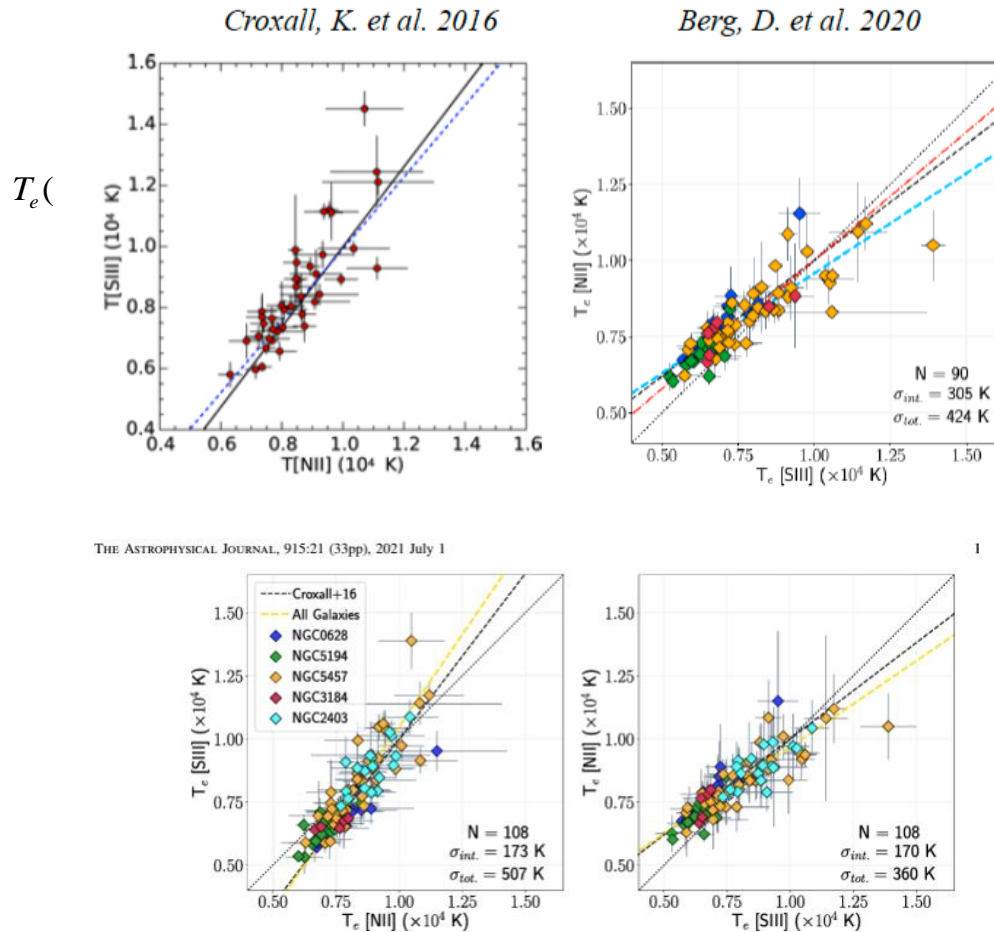
$$T_e([SII]) = 0.88T_e([SIII]) + 1560K$$

- Which is not very different, within measurement errors, from the one-to-one relation for the temperatures of interest ... so, we can assume:

$$T_e([SII]) \approx T_e([SIII])$$

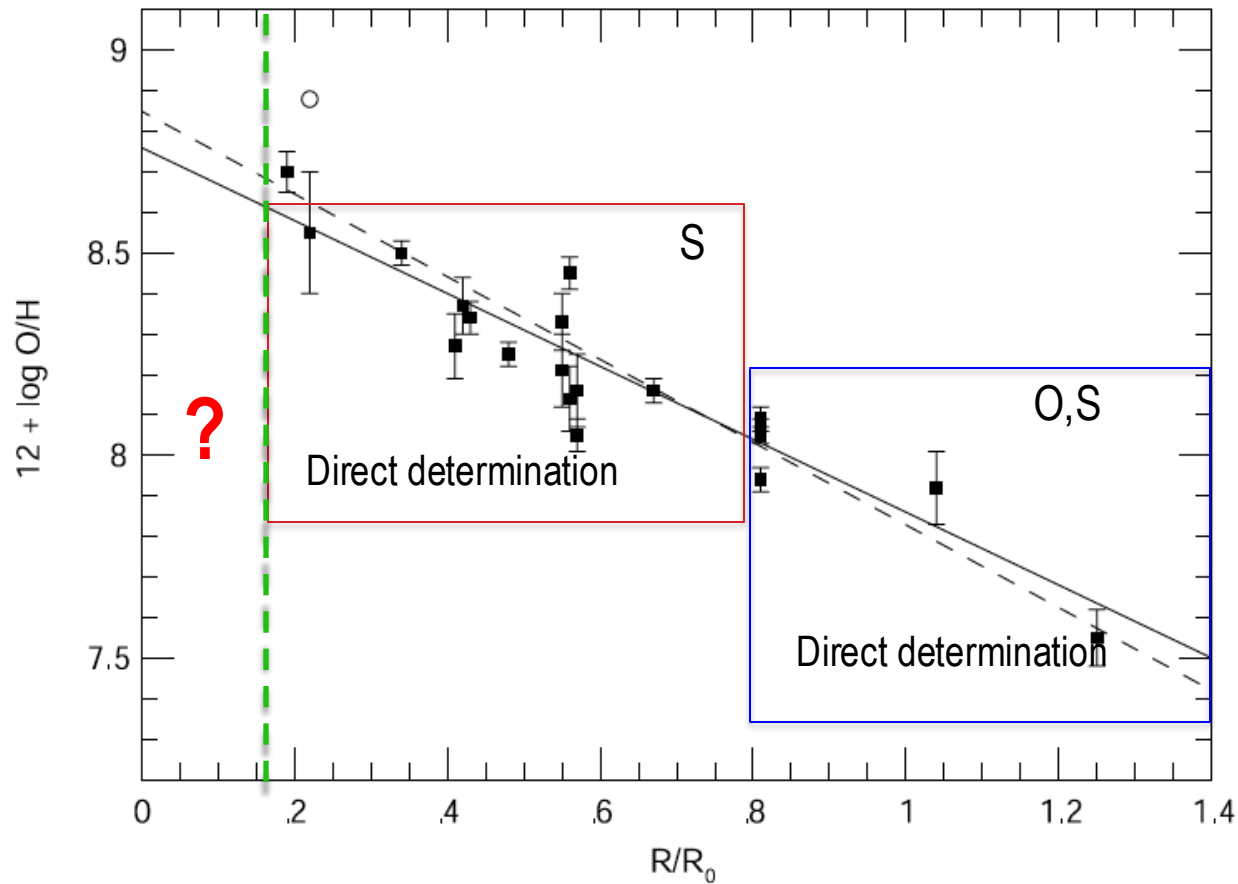


# The $T_e$ [SIII] – $T_e$ [NII] relation

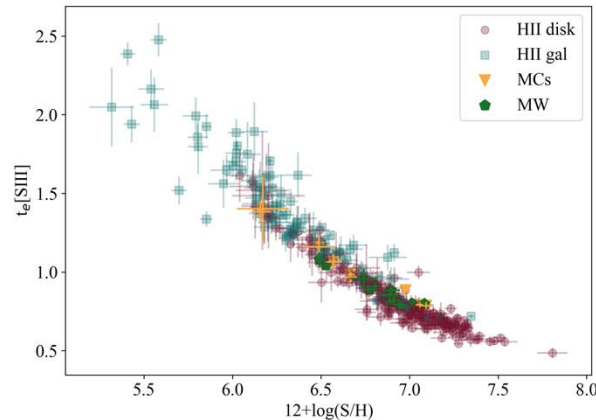


*Rogers et al. 2021 (CHAOS)*

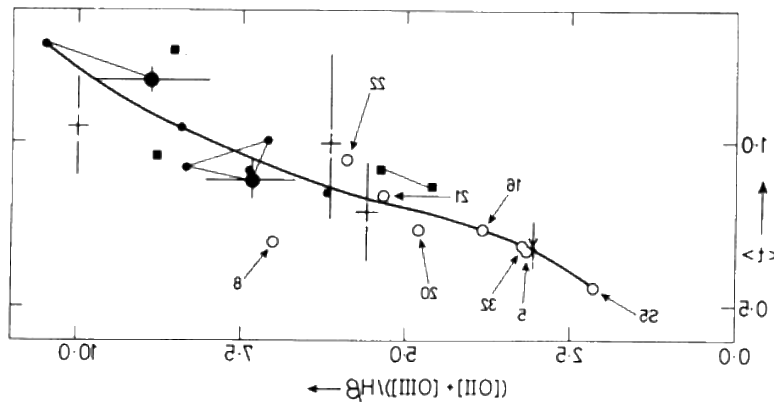
# The high metallicity regime



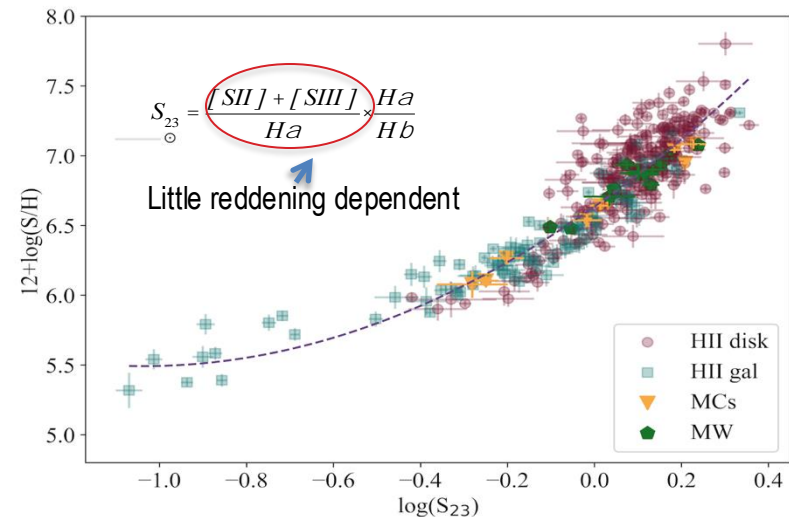
# And ... what about the empirical calibration?



- The effect of sulphur ions as cooling agents is evident by the good correlation shown between S/H and the respective  $T_e$  ([SIII]) and **this relation is the base of the empirical calibration.**



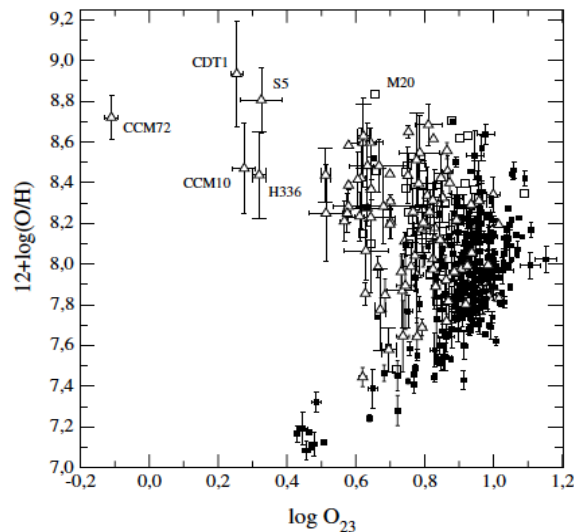
Pagel et al. 1979



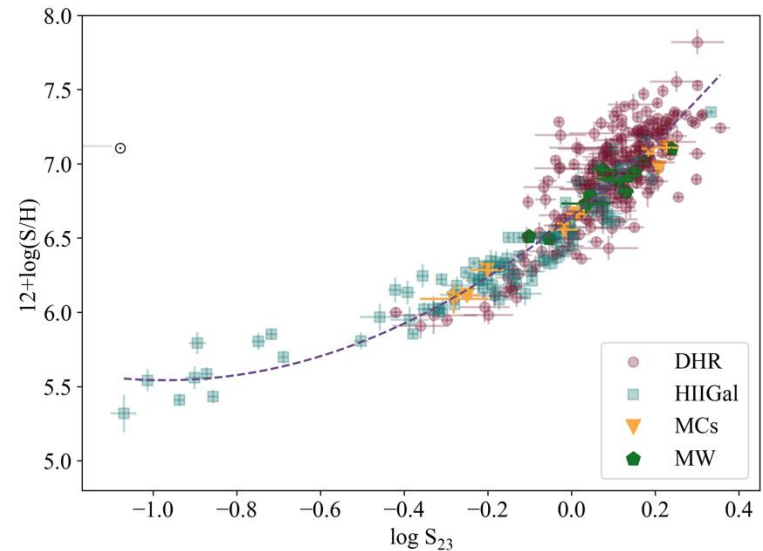
Single valued up to, at least, solar metallicity

🌍 Similar to  $R_{23}$  but for Sulphur.

$$S_{23} = \frac{[SII] + [SIII]}{Ha} \times \frac{Ha}{Hb}$$



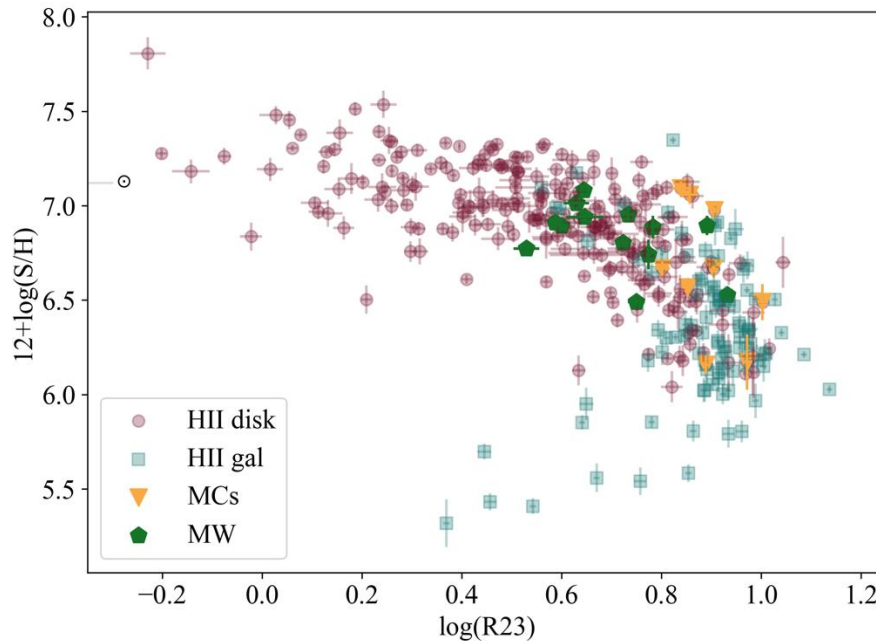
Díaz & Zamora, 2022, MNRAS



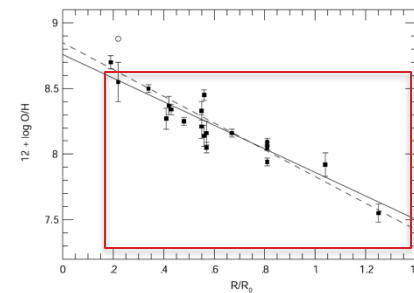
Single valued up to, at least, solar metallicity



# The $R_{23}$ parameter calibrated in terms of S/H abundances

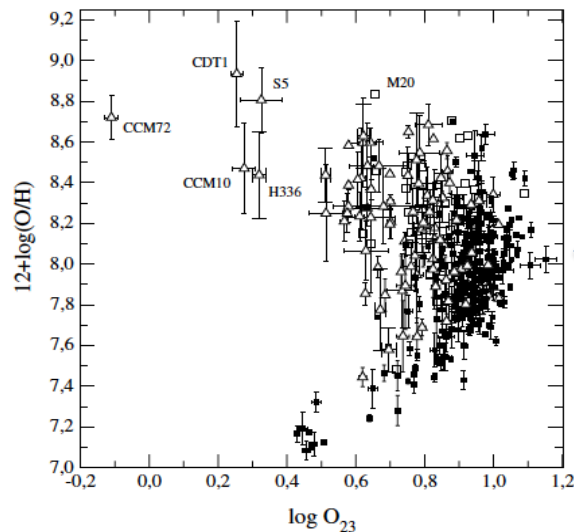


All abundances  
**directly** derived

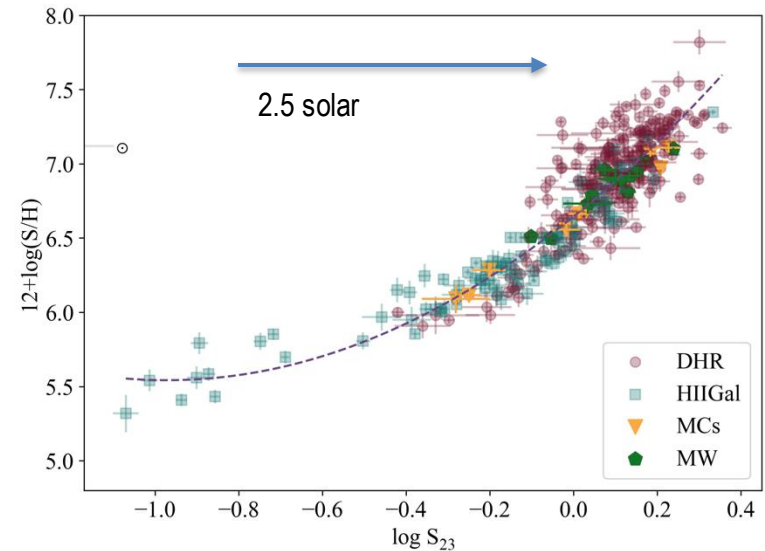


- Similar to  $R_{23}$  but for Sulphur.

$$S_{23} = \frac{[SII] + [SIII]}{Ha} \times \frac{Ha}{Hb}$$



Díaz & Zamora, 2022, MNRAS



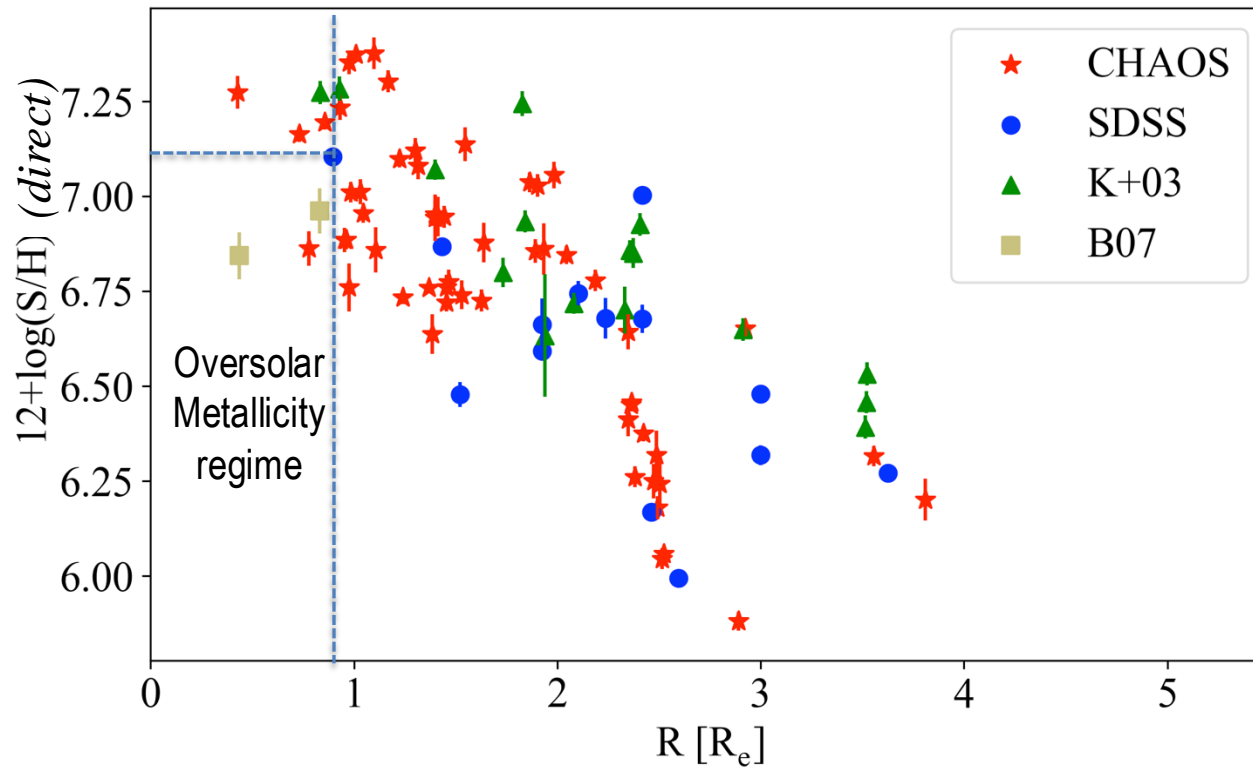
Single valued **up to solar metallicity**



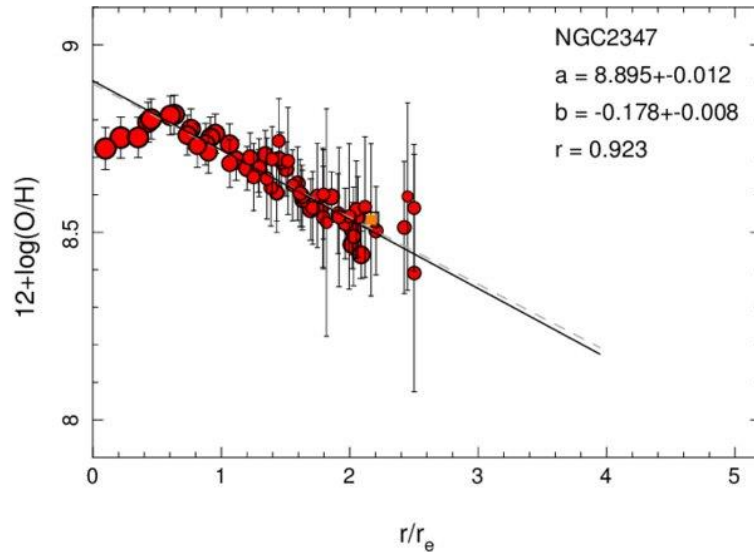
But ... is this enough?

- Compiling data including emission lines of [OII] (3737,29), [OIII] (4363), [OIII] (4959,5007), [NII] (6548,84), [SIII] (6312), [SII] (6717,31), and [SIII] (9069).
- Sources:
  - *Kennicutt, Bresolin & Garnett, 2003, ApJ, 591, 801*
  - *Bresolin, 2007, ApJ, 656, 186*
  - *Croxall et al. 2016 (CHAOS), ApJ, 830, 4*
  - *Piliyugin et al. 2007 (SDSS-DR5), ApJ, 669, 299*  
(private analysis of the sulphur lines)

# Direct abundance gradient (traced by S)

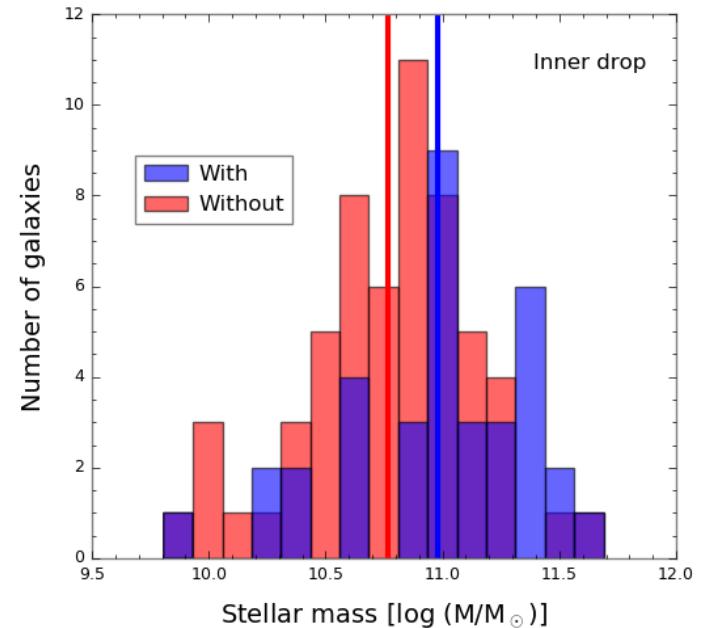


Sanchez-Menguano et al 2018



Inner disc abundance drop

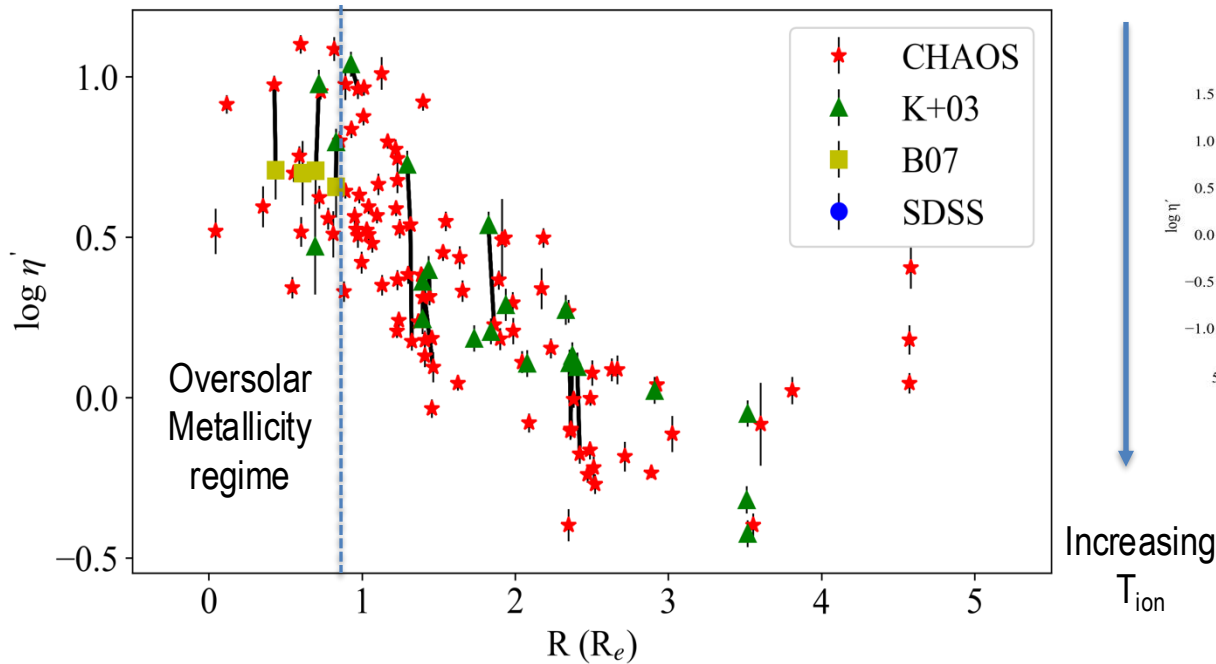
## Central abundance drops



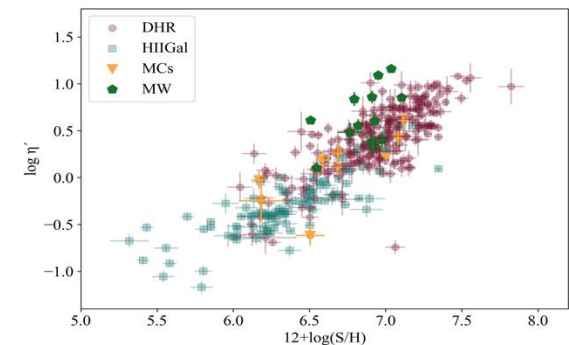
Central drops preferentially found in the most massive galaxies

# Functional parameter's gradients: the “eta” parameter

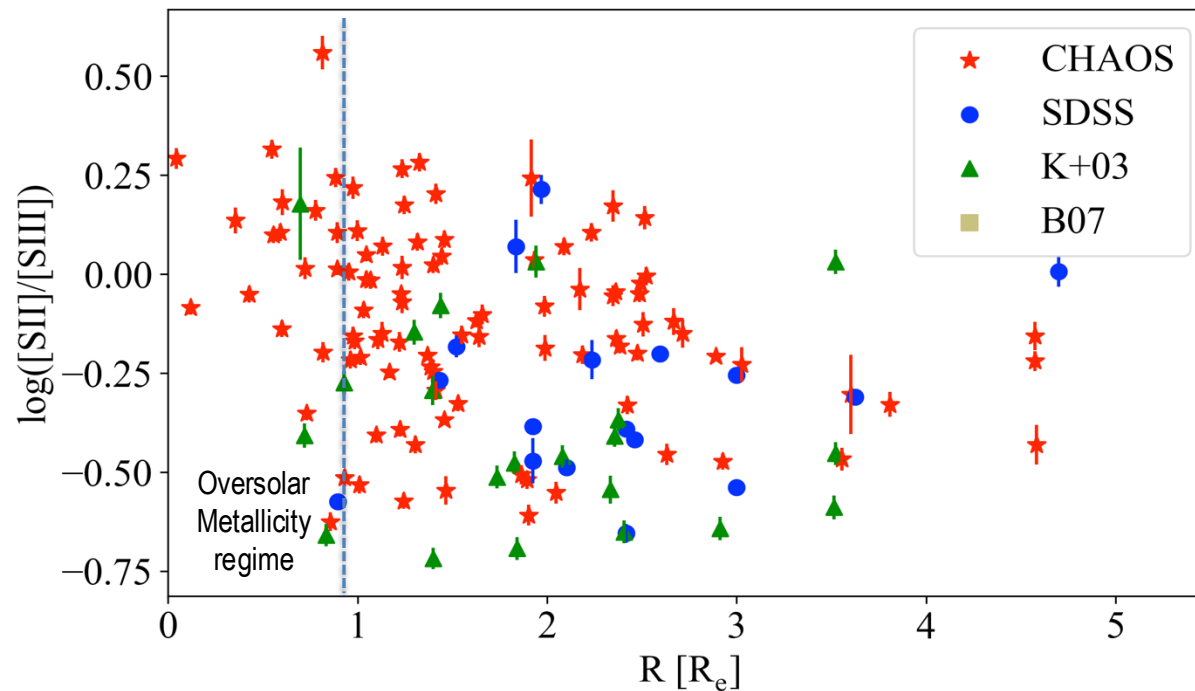
Defined in Díaz et al. 1987 and named **inversion excitation parameter**, it can be considered a proxy for the hardness of the ionising radiation.



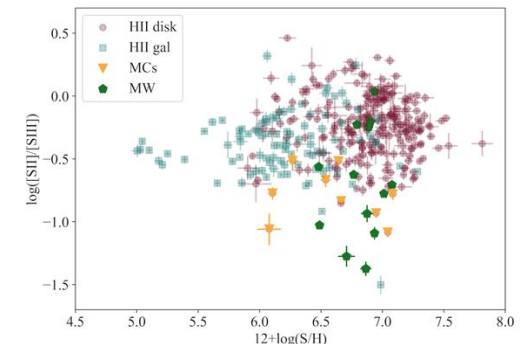
Díaz & Zamora, 2022



Calibrated in Díaz et al. 1991, can be considered as a proxy for the ionisation parameter,  $u$ , for up to solar metallicity.

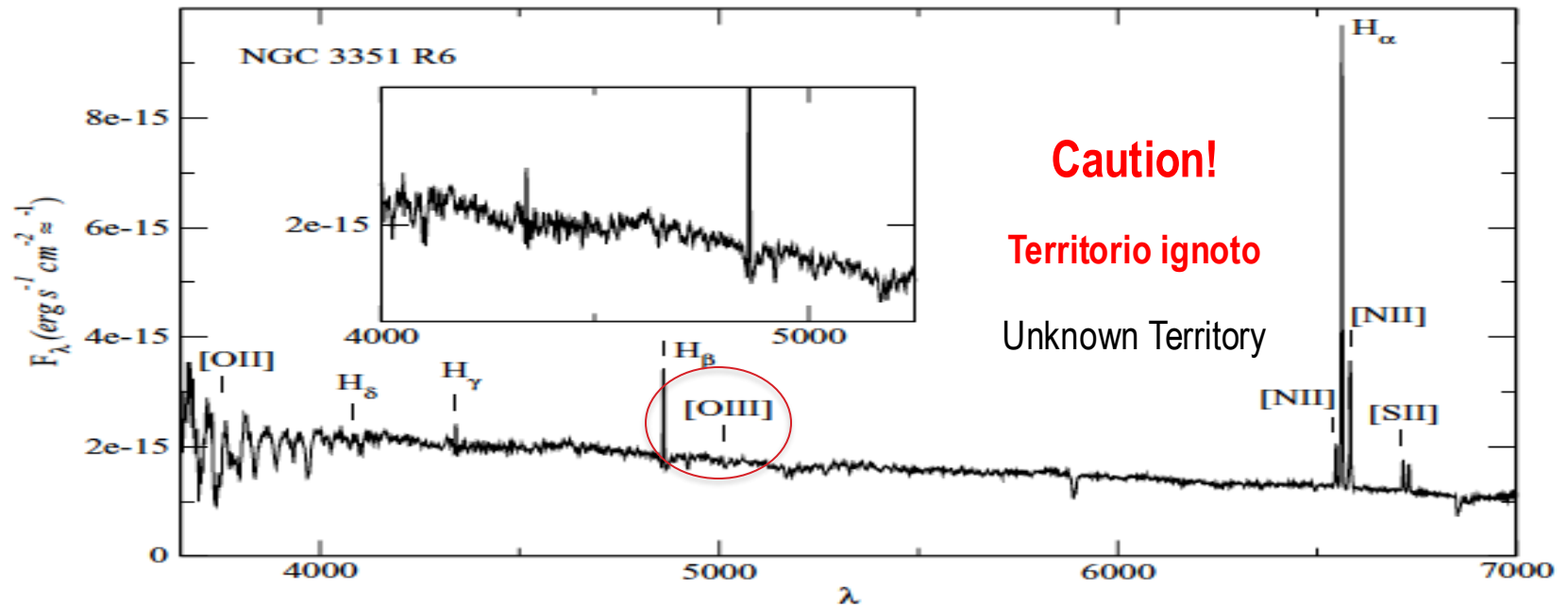


Díaz & Zamora, 2022

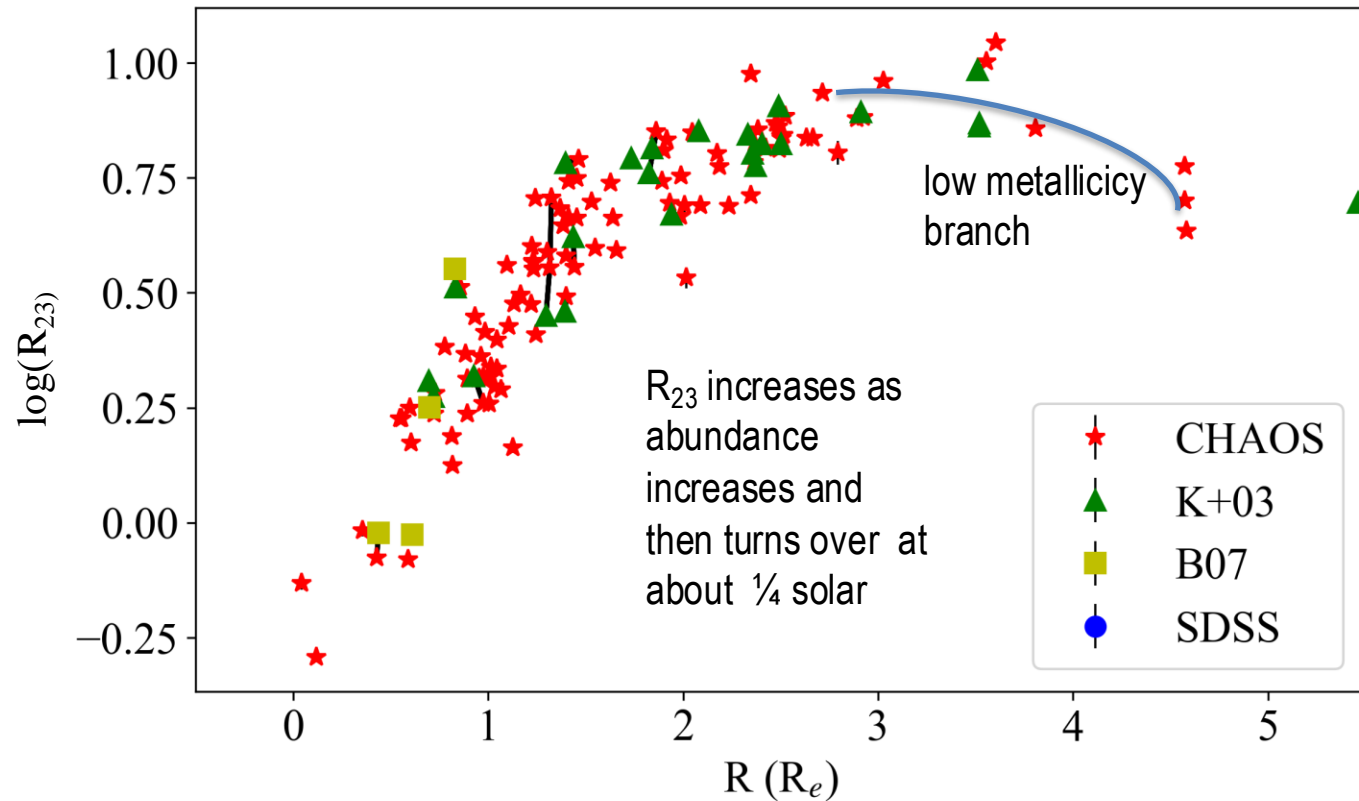


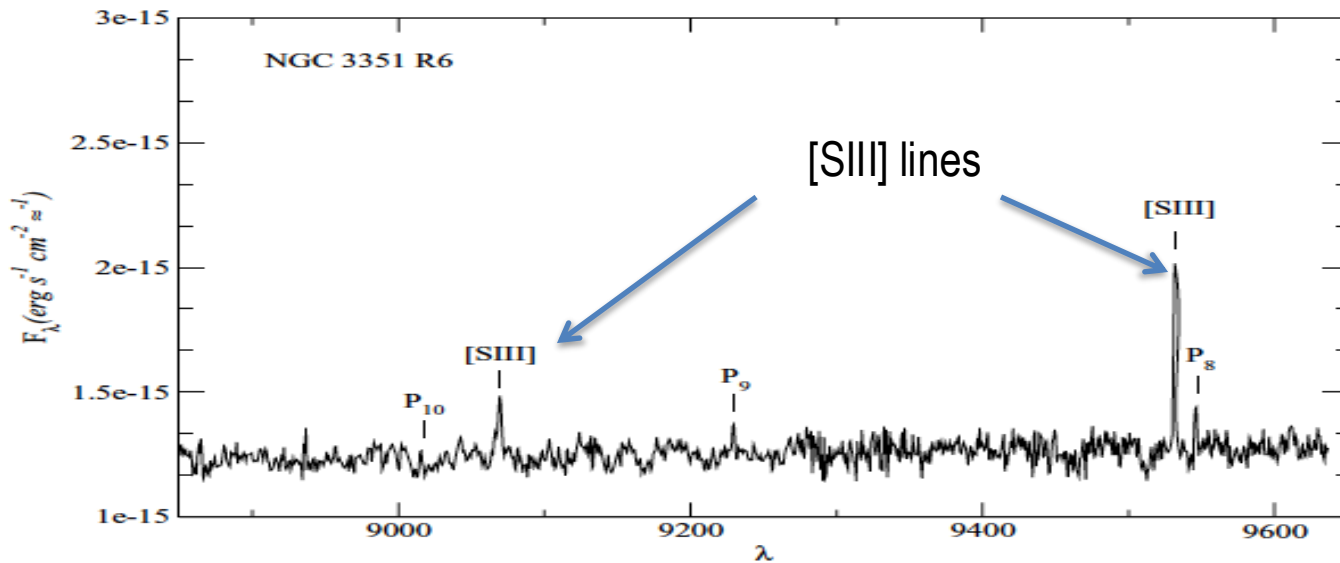
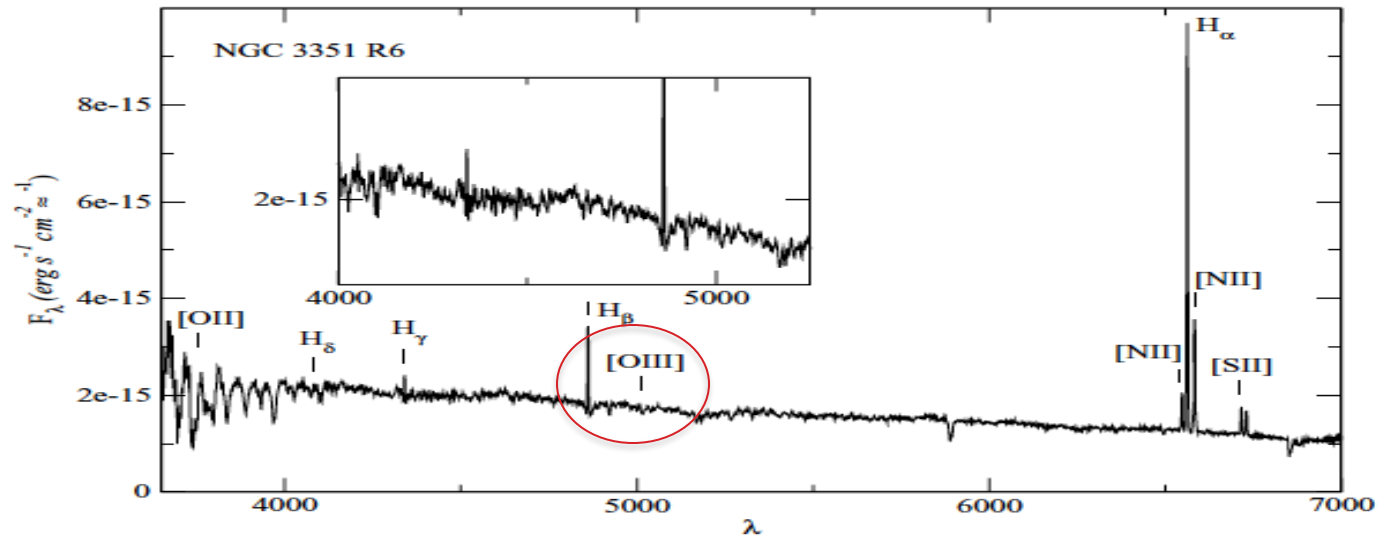
# The over-solar metallicity regime

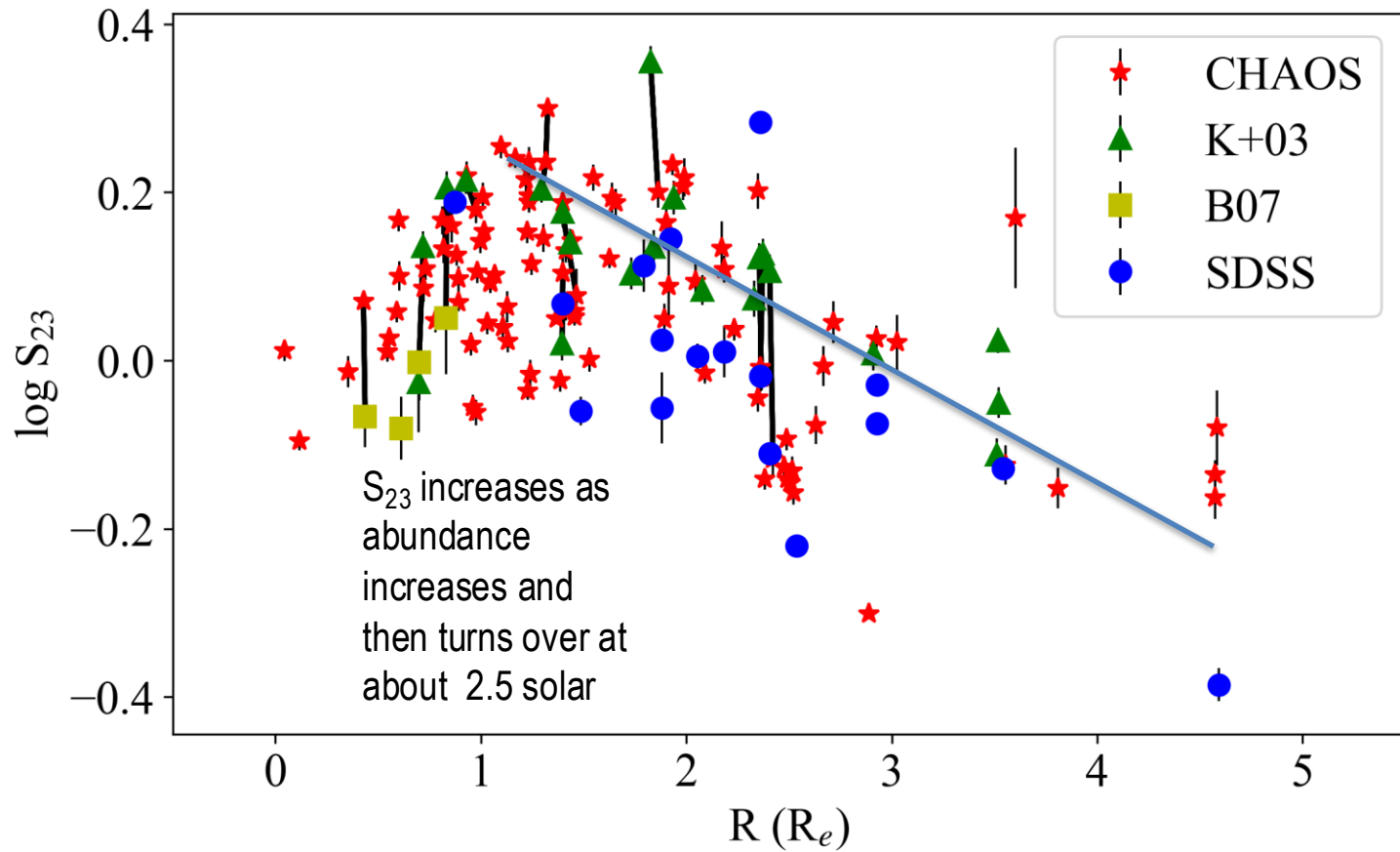
*Díaz, A.I. et al. 2007*



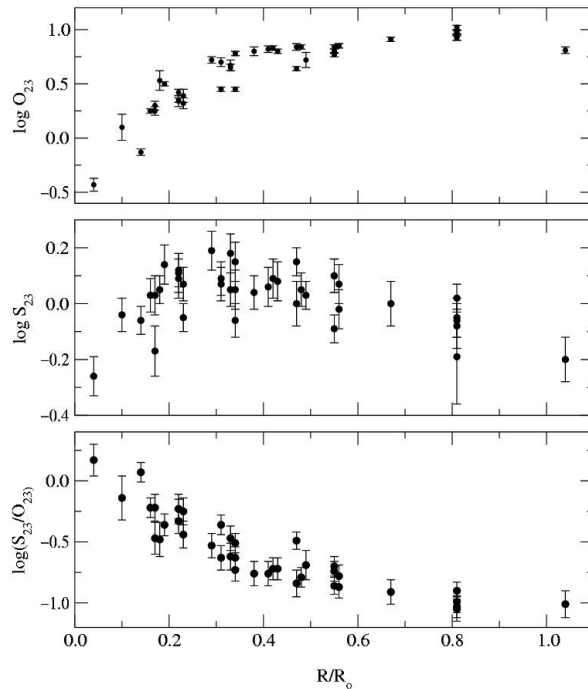




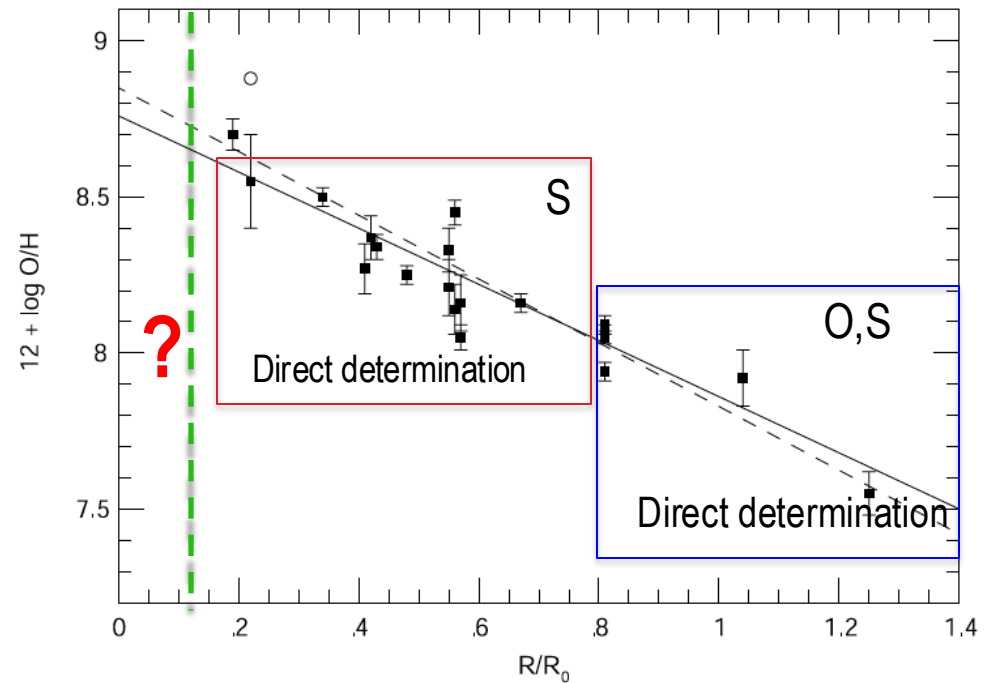




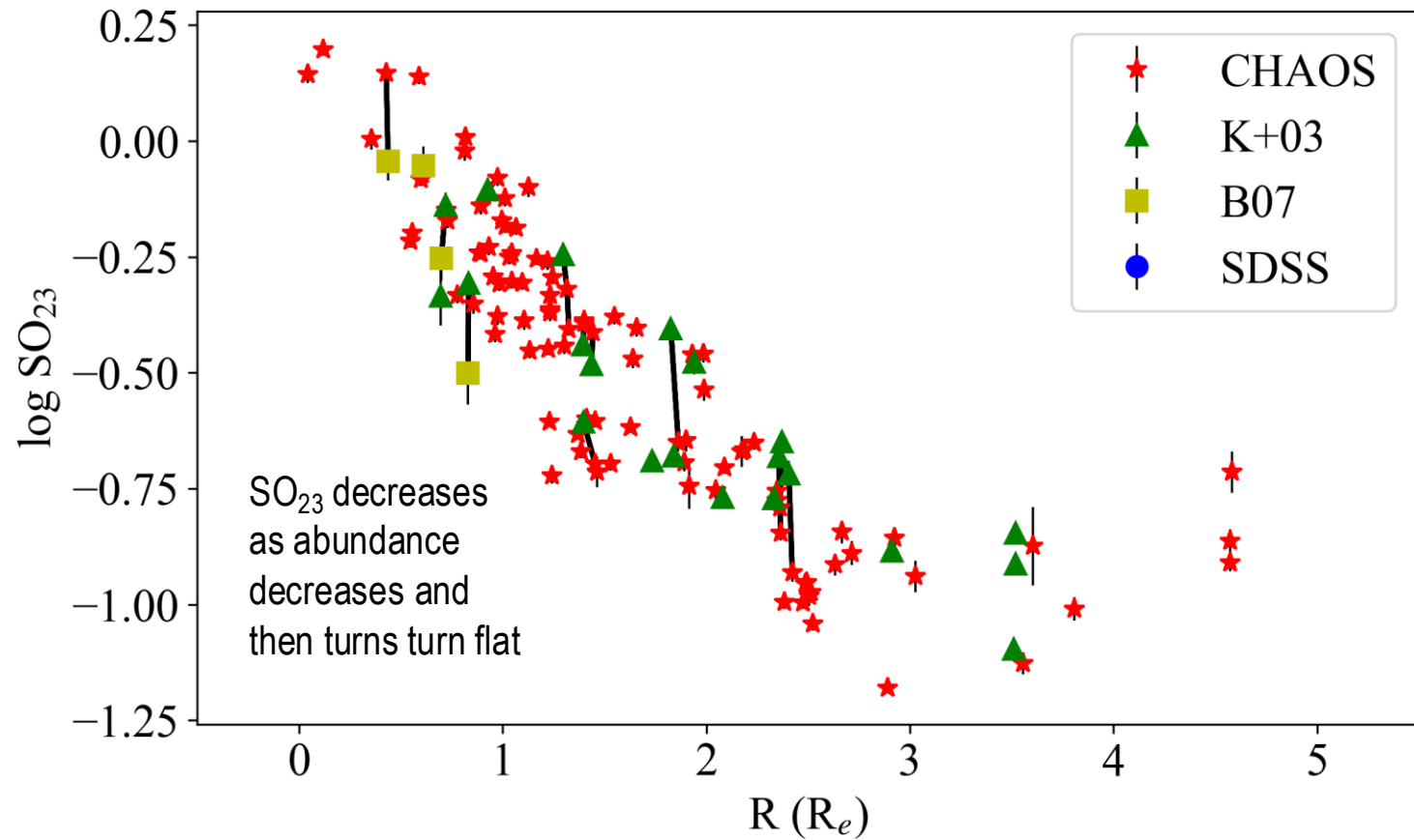
# The high metallicity regime

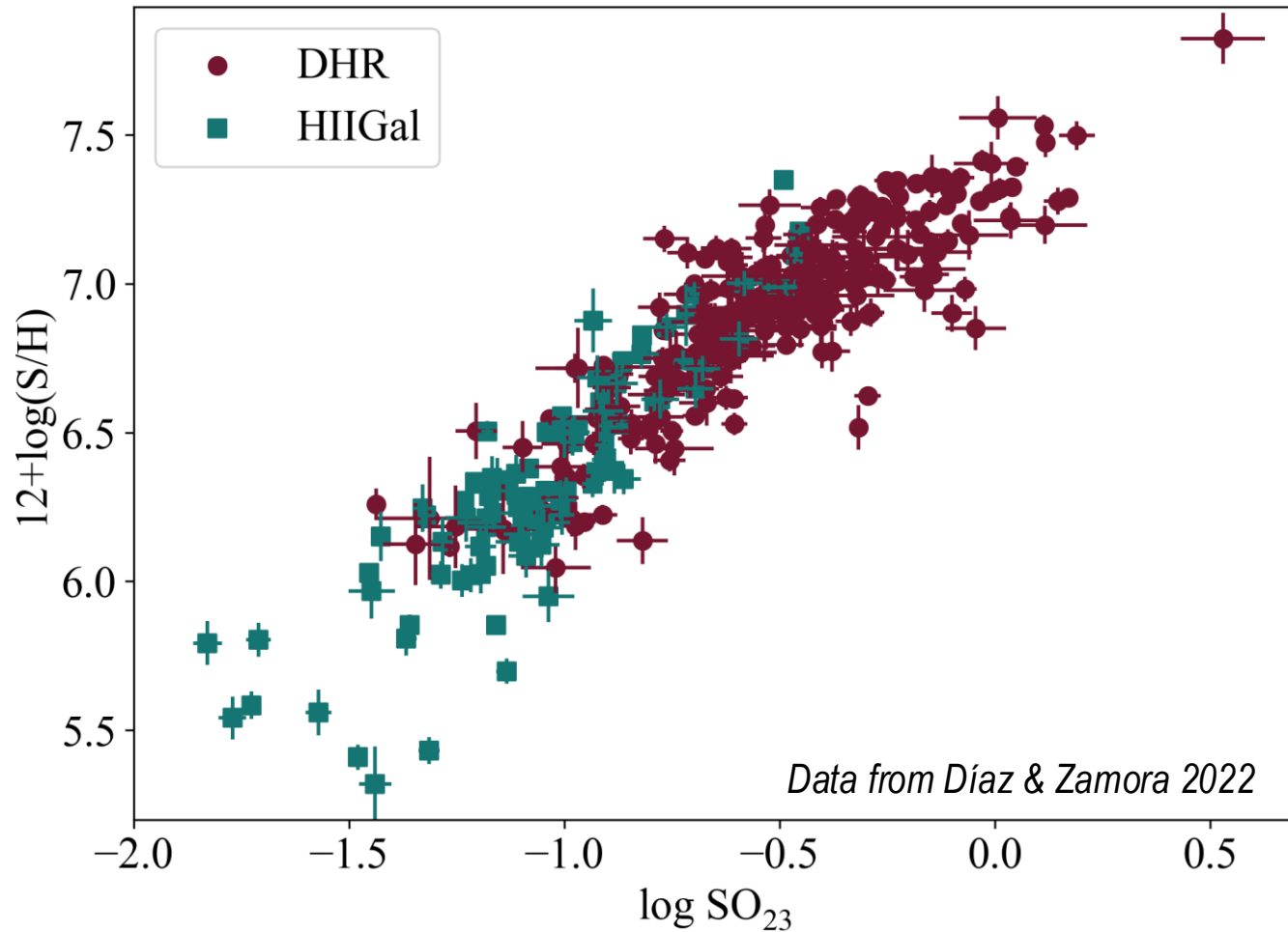


Pérez-Montero & Díaz 2005



$$SO_{23} = \frac{S_{23}}{O_{23}} \quad \text{where } O_{23} \equiv R_{23}$$

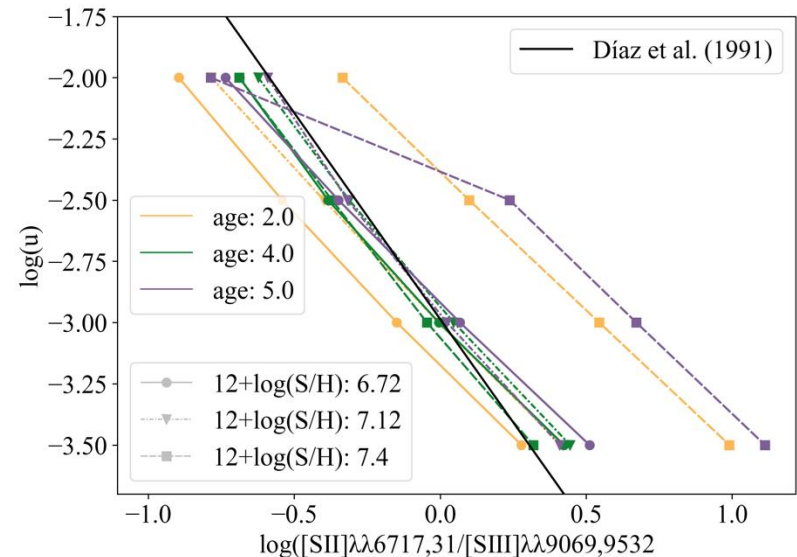


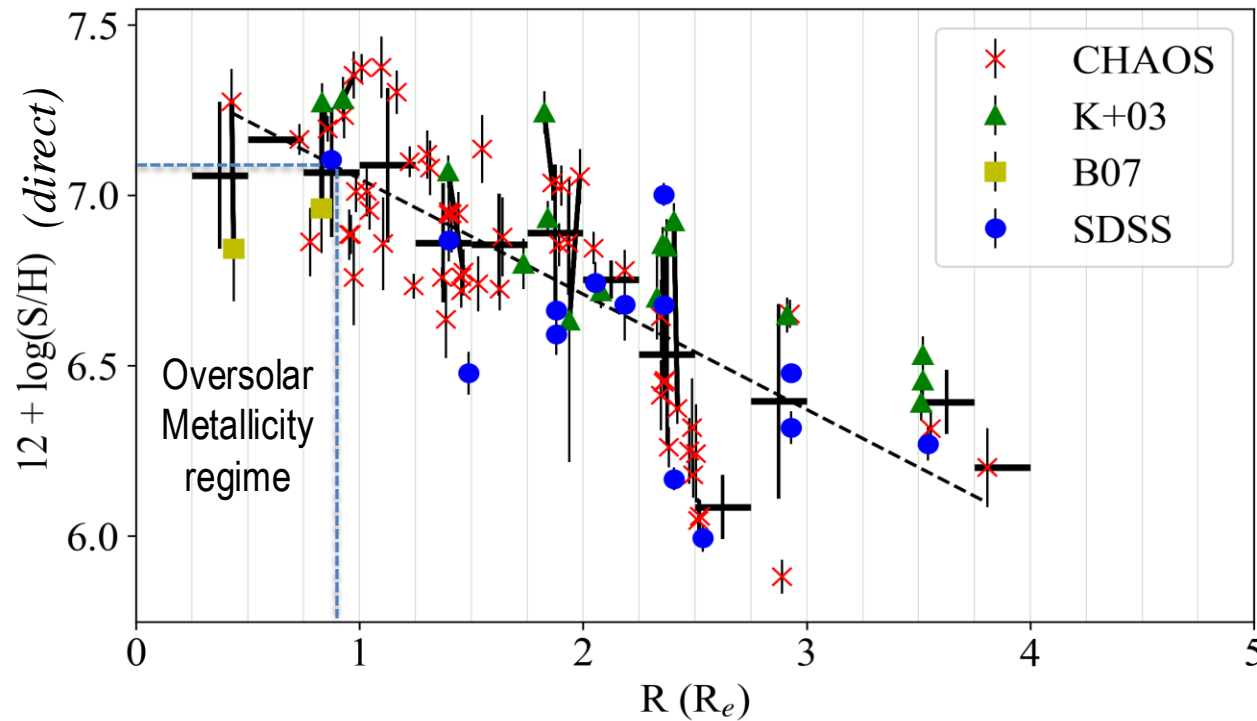




# But still some caveats ...

- Massive metal rich stars have lower effective temperatures than low metallicity ones which may increase the  $[OII]/[OIII]$  ratio.
- The relation between  $[SII]/[SIII]$  with ionisation parameter may also change at high sulphur abundance.





to be continued ....